

$$\alpha + \beta = \Delta \quad \alpha \beta = r$$

$$\hookrightarrow \alpha = \Delta - \beta$$

$$\beta = \Delta - \alpha$$

$$B^r = \Delta B - r \rightarrow B^r = \Delta B^r - rB = \Delta(\Delta B - r) - r = r\Delta B - 10$$

$$B^r = r\Delta B^r - 10B = r\Delta(\Delta B - r) - 10B = 10\Delta B - r\Delta \rightarrow B^r = 10\Delta B^r - r\Delta B = 10\Delta(\Delta B - r) - r\Delta B = r\Delta \cdot 10$$

$$\frac{r\alpha + \beta}{\Delta B^r} = \frac{r\alpha + \Delta B - \alpha}{\Delta(\Delta B - r)} = \frac{r\Delta B - 10}{r\Delta B - 10} = \frac{9\Delta(\Delta B - r)}{\Delta(\Delta B - r)} = 9$$

$$x = \frac{x_1 + x_2}{r} = \frac{r-1, \Delta}{r} = 0, \Delta = -\frac{b}{ra}$$

$$\rightarrow \frac{b}{ra} = -\frac{b}{a} = r \rightarrow -\frac{b}{ra} = 0, \Delta \rightarrow -\frac{b}{a} = 1, \Delta$$

$$|x - B| = \frac{\sqrt{\Delta}}{|a|} \rightarrow \frac{r}{r} k = \frac{\sqrt{b^2 - 4ac}}{11} = \sqrt{Fk^2 - r_0} = r\sqrt{k^2 - \Delta} \rightarrow \frac{r}{r} k = \sqrt{k^2 - \Delta}$$

$$\xrightarrow{r \text{ ضرب}} \frac{r}{9} k^2 = k^2 - \Delta \rightarrow \Delta = \frac{9}{9} k^2 \rightarrow k^2 = 9 \quad \left[\frac{9}{r} \right] = k$$

$$\frac{\alpha + \beta}{r} = -\frac{\Delta + r}{r} = -1 \leq \alpha + \beta = r \rightarrow x_5 = -\frac{r}{r} = -1 \quad \text{ext} \begin{vmatrix} -1 \\ 1 \end{vmatrix}$$

$$\alpha^r + \beta^r = \Delta \rightarrow (\alpha + \beta)^r - r\alpha\beta = \Delta \rightarrow \alpha\beta = -\frac{1}{r}$$

$$y = \alpha(x^r + rx - \frac{1}{r}) \rightarrow 1 = \alpha(1 - r - \frac{1}{r}) \rightarrow \alpha = -\frac{r}{r} \quad y = \frac{r}{r}(x^r + rx - \frac{1}{r}) \rightarrow y = \frac{1}{r}$$

$$x^r - \Delta x - M = 0 \quad x_1, x_2 = \frac{\Delta \pm \sqrt{\Delta^2 + 4M}}{r}$$

$$x_{\max} = \frac{\Delta + \sqrt{\Delta^2 + 4M}}{r} < \frac{9}{r} \rightarrow \Delta + \sqrt{\Delta^2 + 4M} < 9 \rightarrow \sqrt{\Delta^2 + 4M} < 9 - \Delta \xrightarrow{r \text{ ضرب}} rM < -9 \rightarrow M < -\frac{9}{r} \textcircled{1}$$

$$\Delta = \Delta^2 + 4M \geq 0 \rightarrow M \geq -\frac{\Delta^2}{4} \textcircled{2}$$

$$\textcircled{1}, \textcircled{2} \rightarrow -9, \Delta < M < -r, \Delta \rightarrow -9, -\Delta, -r, -r$$

$$-\frac{\Delta}{ra} = \frac{1rf - f(m)(\Delta m - 1)}{fm} = \frac{m(\Delta m - 1) - r^2}{m} = r \rightarrow \Delta m^r - m - r^2 = rm \rightarrow$$

$$\Delta m^r - rm - r^2 = 0 \rightarrow (m - r)(\Delta m + r) = 0 \rightarrow m = r, -\frac{r}{\Delta} \hookrightarrow \text{نقطه min, راست}$$

$$\rightarrow \text{نقطه تقاطع: } x = -\frac{b}{ra} = \frac{1r}{r} = r$$

$$\alpha + \beta = -ra - r, \alpha\beta = ra - 1$$

$$\alpha^r = \alpha\beta = ra - 1$$

$$\rightarrow \alpha^r - ra + 1 = 0 \rightarrow (\alpha - 1)^r = 0 \rightarrow \alpha = 1$$

$$x^r = t \rightarrow t^r - vt - \Delta = 0 \quad \Delta = r^2 + r_0 = 99$$

$$t = \frac{v \pm \sqrt{v^2 + 4\Delta}}{r} \rightarrow t_1 = \frac{v + \sqrt{v^2 + 4\Delta}}{r} \quad \text{و} \quad t_2 = \frac{v - \sqrt{v^2 + 4\Delta}}{r} \quad \text{و} \quad t = x^r > 0$$

$$x^r = \frac{v + \sqrt{v^2 + 4\Delta}}{r} \rightarrow x_1, x_2 = \sqrt[+]{\frac{v + \sqrt{v^2 + 4\Delta}}{r}} \quad S = 0 \quad p = \frac{v + \sqrt{v^2 + 4\Delta}}{r}$$

$$rp^r - r^2p + r^2 = 0 \rightarrow rp^r = r \left(\frac{v + \sqrt{v^2 + 4\Delta}}{r} \right)^r = r \left(\frac{r^2 + 1r\sqrt{v^2 + 4\Delta} + 4\Delta}{r} \right) = \Delta + v\sqrt{v^2 + 4\Delta}$$

$$\text{ext} \left| \begin{array}{l} x = \frac{k}{rk} = \frac{r}{k} \\ y = \frac{-(14 + rk)}{rk} = -\frac{r}{k} - 4 \end{array} \right.$$

$$\rightarrow \left| \begin{array}{l} \frac{r}{k} \\ -\frac{r}{k} - 4 \end{array} \right.$$

این نقطه روی خط
 $y = -kx - k$
 قرار دارد

-9

$$\rightarrow -\frac{r}{k} - 4 = -k\left(\frac{r}{k}\right) - k \rightarrow k < 2$$

$$y = -\frac{r}{k} - 4 = -1$$

$$-mx^2 + mx + 12 - x - m \rightarrow -mx^2 + (m+1)x + 1 + m = 0$$

-10

$$\rightarrow \Delta < 0 \rightarrow b^2 - 4ac < 0 \rightarrow (m+1)^2 - 4(-m)(m+1) < 0$$

$$m^2 + 1 + 2m + 4m^2 + 4m = 5m^2 + 6m + 1 = (5m+1)(m+1)$$

$$\rightarrow (5m+1)(m+1) < 0 \rightarrow -1 < m < -0.2 \rightarrow \text{عدد صحیحی در این بازه نیست}$$