

$$\textcircled{1} f(x) = \begin{cases} x^r + px + q \geq a & a^r + pa = a^r - \xi \\ & a = -r \\ ax - \xi \leq x \leq a \end{cases}$$

$$\textcircled{2} f(x) = \frac{x^r + a}{rx - b} \rightarrow \text{gib die } (r, \psi) \\ \xi + b = \psi \Rightarrow b = -1 \\ g(x) = rx + b \quad \xi + a = \xi + b \Rightarrow r + a = \xi + b \Rightarrow a = 11 \\ f(1) = \frac{1+11}{r+1} \rightarrow \xi$$

$$\textcircled{3} f(x) = \frac{\xi a + 1}{rx + a + b} \quad R - \{-1, \xi\} \\ a(m+1) - (m-\xi) = a(ax - px - \xi) = rx^r - qa - 1 \\ a = -q, b = -1 \rightarrow f(1) = \frac{a}{r-q-1} = \frac{-1}{r}$$

$$\textcircled{4} f(x) = \frac{x^r - \sqrt{x}}{-\xi m^r + a + b} \quad R - \{-1\}$$

$$a_\xi (m+1)^r = -\xi (m^r + pa) \Rightarrow -\xi m^r - \Lambda m - \xi \\ a = -\Lambda \quad b = -\xi \rightarrow a + b = -\Lambda - \xi = -1r$$

$$\textcircled{5} f(x) = \frac{rx}{(x-r)(x^r + mx + 1)} \quad R - \{1\}$$

$$m^r - \xi < . \\ -r < m < r$$

$$\textcircled{6} f(x) = \sqrt{\xi - \frac{1}{ax}} \quad n \neq . \quad \xi - \frac{1}{nr} > 0 \\ (r - \frac{1}{a}) (r + \frac{1}{a}) > 0 \quad x \leq -\frac{1}{r} \text{ or } \frac{1}{r} \leq x \\ D_f = (-\infty, -\frac{1}{r}] \cup [\frac{1}{r}, +\infty)$$

$$\textcircled{7} f(x) = \sqrt{mx^r + (m+1)} \quad D_f = R \\ \psi m + 1 \geq 0 \quad -m + 1 \geq 0 \rightarrow -\frac{1}{r} \leq m \leq 1 \\ m \geq -\frac{1}{r} \quad m \leq 1$$

$$\textcircled{8} f(x) = \begin{cases} \frac{(rx-r)(m+1)}{rx-r} \leq x \neq a & g(x) = rx + 1 \\ \xi a + b \leq a = \frac{1}{r} & r+k = \frac{1}{r} k = 0 \quad a+k = \frac{1}{r} + \frac{2}{r} \end{cases}$$

$$\textcircled{9} f(x) = \begin{cases} \frac{(rx-r)(m-1)}{rx-r} \leq x \neq -\frac{r}{p} & g(x) = cm + b \\ rx + r \leq x = \frac{r}{p} \end{cases}$$

$$\psi x + b = cx - r \Rightarrow b = -r \quad -ra + r - r + b - r = -ra = -r \Rightarrow a = r \\ a - b = r - (-r) = 2a$$

$$\textcircled{10} f(x) = \begin{cases} \frac{(x-r)(x+r)}{x-r} \leq x + r & g(x) = x + r \\ rx^r + a x^r \cdot m = r & ra^r + ra = \xi \\ & r(a^r + a - r) = 0 \\ & r(a+r)(a-r) = 0 \\ & -r \quad / \end{cases}$$

(a = -r, 1)