

$$\begin{array}{ccc} f(-1) \hookrightarrow L_{-1} X_{-1} \rightarrow X_{-1} & \xrightarrow{d^c} & f(-1) \\ f(n) \hookrightarrow L_{-1} X_{-1} \rightarrow X_{-1} & \rightarrow & f(n), 1 \end{array} \quad \left. \vphantom{\begin{array}{ccc} f(-1) \hookrightarrow L_{-1} X_{-1} \rightarrow X_{-1} & \xrightarrow{d^c} & f(-1) \\ f(n) \hookrightarrow L_{-1} X_{-1} \rightarrow X_{-1} & \rightarrow & f(n), 1 \end{array}} \right\} f(-1) + f(n), \quad \square$$



⑦ $x + \sqrt{x} = y \rightarrow x, f \rightarrow f(y), \epsilon + \sqrt{x\epsilon}, \sqrt{\omega y + 1}, \sqrt{yA}$

②

$$f(x) = x(x+1)$$

④

$$f(x-1) \cdot (x-1)^{r+1} \geq x^r - rx^{r-1} + rx^{r-2} - \dots + (-1)^r$$

$$P_{15-g}, P_{17-g}, P_{19-g}, P_{21-g}, P_{23-g}, P_{25-g}, P_{27-g}, P_{29-g}, P_{31-g}, P_{33-g}, P_{35-g}, P_{37-g}, P_{39-g}, P_{41-g}, P_{43-g}, P_{45-g}, P_{47-g}, P_{49-g}, P_{51-g}, P_{53-g}, P_{55-g}, P_{57-g}, P_{59-g}, P_{61-g}, P_{63-g}, P_{65-g}, P_{67-g}, P_{69-g}, P_{71-g}, P_{73-g}, P_{75-g}, P_{77-g}, P_{79-g}, P_{81-g}, P_{83-g}, P_{85-g}, P_{87-g}, P_{89-g}, P_{91-g}, P_{93-g}, P_{95-g}, P_{97-g}, P_{99-g}$$

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$$D_F \rightarrow \{x, \mu_{a,0} \rightarrow \{x, \mu_a \rightarrow x, \frac{\mu_a}{\epsilon} \rightarrow D_F, \lfloor \frac{\mu_a}{\epsilon}, +\infty \rfloor$$

$$D_g: b - \{x\} \geq 0 \rightarrow b \geq \{x\} \rightarrow \frac{b}{\varepsilon} \{x\} \rightarrow D_g, (-\infty, \frac{b}{\varepsilon}]$$

$$f(1) \sim k-1 \quad g(1) \sim k$$

$$f(1) - g(1) = 1 - 1 = 0 \rightarrow 1 - 1 = 0 \rightarrow 1 - 1 = 0$$

$$y_a - \frac{b}{r} - k, \quad \varepsilon - r - (-1) \geq y$$

$$(16) \quad D_{g \times f} = D_g \cup D_f \rightarrow D_f: m-x \rightarrow m \quad x \rightarrow D_f: (-x, m]$$

$$Dg : T_x \rightarrow Dg_x = [-1, m] \rightarrow m_2 V$$

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$$f(\mu) - g(\mu) = 4\sqrt{\mu} \rightarrow \sqrt{m-\mu} + n - \sqrt{4\mu} = 4\sqrt{\mu}$$

$$r+n-\sqrt{n}, 4\sqrt{r} \rightarrow n, 4\sqrt{r}+\sqrt{n}-r$$

$$m + n + 9\sqrt{r} + \sqrt{n} - r + v \rightarrow 9\sqrt{r} + n\sqrt{r} + \omega \rightarrow m + n + \sqrt{n \times \omega}$$

