

$$f(rx+1) + f(x+r) = rx + f(r)$$

$$y = \sqrt{f(x) - x^2}$$

$$y = \sqrt{rx - f - x^2}$$

$$\frac{-b}{ra} = \frac{-y}{-r} = 1 \rightarrow r(1) - f - 1 = -y \rightarrow R_f = \sqrt{(-y, -1]} = \phi$$

$$a(rx+1) + b + a(x+r) + b = rx + rx + b$$

$$rax + a + bx + r + b = rx + b \rightarrow rax + a + rb + r = rx + b$$

$$f(x) = rx - f$$

$$La = r \begin{cases} r + rb = b \\ b = f \end{cases}$$

$$f(x) = \frac{x(x^2 - f)}{x + r} = \frac{x(x+r)(x-r)}{x+r} = x^2 - rx$$

$$x^2 - rx \neq 1 \rightarrow x^2 - rx - 1 \neq 0 \rightarrow (x-r)(x+r) \neq 0 \quad f\left(\frac{r-y}{-y}\right) = f(-1) = 1 - r(-1) = \underline{\underline{3}}$$

$$\rightarrow C \rightarrow x^2 - rx \rightarrow \frac{-b}{ra} = \frac{r}{r} = 1 \quad 1 - r = -1 \rightarrow [-1, +\infty) \rightarrow \boxed{C = -1}$$

$$y = \sqrt{x^2 + ax + b - 1}$$

$$D_f = [a, b]$$

$$y_1 = \left(\frac{x+1}{1-x}\right)^{\frac{1}{a}} \rightarrow R = \{1\} \rightarrow D_{f_1}$$

$$y_2 = \frac{ax^2 - 1}{x^2 + b} \rightarrow R_{f_2} = R - \{1\}$$

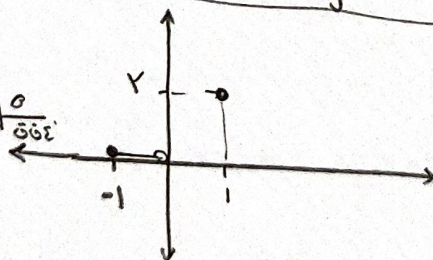
$$\rightarrow \frac{ax^2 - 1}{x^2 + b} = y_2 \rightarrow x^2 = \frac{b + y_2}{y_2 - a} \rightarrow x = \pm \sqrt{\frac{b + y_2}{a - y_2}}$$

$$y = \frac{[x]}{x} + \frac{|x|}{x}$$

$$-1 \leq x < 0 \rightarrow [x] = -1 \rightarrow -\frac{1}{x} - 1 \rightarrow \frac{-1}{0} \rightarrow \frac{0}{0}$$

$$0 \leq x < 1 \rightarrow [x] = 0 \rightarrow \frac{0}{0} \rightarrow \frac{0}{0}$$

$$x = 1 \rightarrow 1 + 1 = 2$$



$$y = [x] + \left[x + \frac{1}{x}\right]$$

$$\frac{1}{x} \leq x < 1 \rightarrow [x] = 0$$

$$1 \leq x < 2 \rightarrow [x] = 1$$

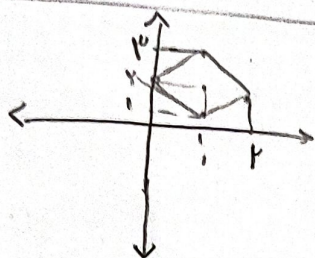
$$y = \left| \frac{x+1}{ax+1} \right|$$

$$-1 < \frac{x+1}{ax+1} < 1 \rightarrow \frac{x+1+ax+1}{ax+1} = \frac{(a+1)x+2}{ax+1}$$

$$\frac{x+1-ax-1}{ax+1} < 0 \rightarrow \frac{(1-a)x}{ax+1} < 0$$

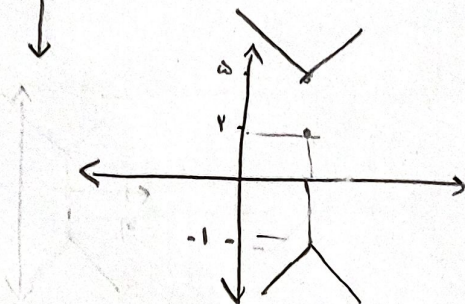
$$|x-1| + |y-1| = 1$$

$$\text{الف) } |x-1| + |y-2| = 1$$



$$\text{ب) } |x-1| - |y-2| = -1$$

$$|y-2| - |x-1| = 1$$



$$y = px + |ax+b|$$

$$\begin{cases} x > -\frac{b}{a} \rightarrow (p+a)x+b \\ x < -\frac{b}{a} \rightarrow (p-a)x+b \end{cases}$$

