

$$\log(u) = q \log_p^n \rightarrow n \log_p^q = n^r$$

$$\log(u) \leq \log(u)$$

$$n^r \leq r_m$$

$$\log(u) = \log_p^n \rightarrow \log_p^{r_m} = r_m$$

$$\frac{n^r - r_m \leq 0}{\frac{0}{-d + \frac{r}{d}}} \rightarrow n \in [0, r]$$

$$\sum_{n=0}^{\infty} n^r \leftarrow r, 1, 0$$

(2)

$$f\left(\frac{n^r - r}{n}\right) \leq n^r + n \cdot \epsilon - \frac{r}{n} + \frac{\epsilon}{n^r}$$

$$\frac{n^r - r}{r} = \frac{n - r}{r} \xrightarrow{\text{Jensen}}$$

$$\Rightarrow \left(n - \frac{r}{n}\right)^r + \left(n - \frac{r}{n}\right) = \left(n^r - \epsilon + \frac{\epsilon}{n^r}\right) f(n) - \frac{r}{n}$$

(2)

$$\left(n - \frac{r}{n}\right)^r \leq n^r - \epsilon + \frac{\epsilon}{n^r}$$

$$f\left(n - \frac{r}{n}\right) \leq \left(n - \frac{r}{n}\right)^r + \left(n - \frac{r}{n}\right)$$

$$f(n) \leq n^r + n$$

$$\log(u) = \log_p^{-n^r + \Lambda n}$$

$$\rightarrow D_{\log} = \frac{\mathbb{R}}{\mathbb{Q}} \rightarrow g \in D_{\log} = (0, \Lambda)$$

$$\mathbb{R}_{\log} = \mathbb{R} \rightarrow A \cap B = (0, \Lambda)$$

$$\mathbb{R}_{\log} = (-\infty, \epsilon]$$

$$\rightarrow A \cap B = (., \epsilon]$$

$$\text{maximiere } \epsilon$$

$$-n^r + \Lambda n > 0 \quad \frac{0}{-d + \frac{1}{d}} \Rightarrow 1, r, r, \epsilon, \omega, y, v \rightarrow \sum_{n=0}^{\infty} n^r$$

(1)

$$f \circ f(u) = 1 - u^r f^r(u) \Rightarrow f(f(u)) = 1 - u^r f^r(u) \Rightarrow f(u) = 1 - u^r$$

$$h(g(u)) = h(u-1) \rightarrow (u-1)^r + r(u-1) + 1 = (u-1)^r + r - 1$$

$$h(g(u)) = f(u) \rightarrow n^r - r u^r + u^r - 1 + r - 1 \leq 1 - u^r$$

$$n^r - r u^r + u^r - 1 \leq 1 - u^r \rightarrow n^r - r \neq \omega n \rightarrow \boxed{\text{not possible}}$$

(2)

$$\left. \begin{aligned} f(u) &= n - \frac{\epsilon}{n} \\ g \circ f(u) &= a n^r + r_n \\ g(r) &= \Lambda \end{aligned} \right\} \Rightarrow$$

$$g\left(n - \frac{\epsilon}{n}\right) = a n^r + r_n$$

$$g(r) = \Lambda$$

$$n - \frac{\epsilon}{n} \leq r \xrightarrow{\text{Jensen}} n^r - r u^r - \epsilon \leq 0 \rightarrow n \leq 1 \rightarrow -a - r = \Lambda \rightarrow a = -b$$

(2)

Jensen

not possible