

$$\lim_{n \rightarrow \infty} \frac{n^2 - \infty}{n^2 + an + b} = -\infty \rightarrow \frac{n^2 - \infty}{n^2 + an + b} \rightarrow (-1) < 0 \quad \text{فباینامونه دواړه په لاسه نیسه}$$

$$n^2 + an + b > 0 \rightarrow (n+1)^2 = n^2 + 2n + 1 \quad \text{د}$$

$$a+b=0$$

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صورت $n=2$ معادلات n لاسه نیسه معزم نوره د صورت در در مارن هم لاسه نیسه درجه لاسه نیسه (درج لوره)

$$\lim_{n \rightarrow \sqrt[3]{14}} \frac{n}{n^2 + an + b} = \quad \text{د}$$

$$(n - \sqrt[3]{14})^2 = n^2 - 2\sqrt[3]{14}n + \sqrt[3]{14} \rightarrow a = -2\sqrt[3]{14}$$

$$b = \sqrt[3]{14}$$

$$\left[\frac{b}{a} \right] = \left[-\frac{\sqrt[3]{14}}{2\sqrt[3]{14}} \right] = \left[-\frac{\sqrt[3]{14}}{2} \right] = -1$$

$$0 < \sqrt[3]{14} < 1 \rightarrow 0 < \sqrt[3]{14} < 1$$

$$\lim_{n \rightarrow (\frac{1}{\sqrt{2}})^+} \frac{[-n] + a}{|\sqrt{2}n + a| + a} = -\infty \quad n) \frac{1}{\sqrt{2}} \rightarrow -n < -\frac{1}{\sqrt{2}} \rightarrow [-n] = -1$$

$$\lim_{n \rightarrow \frac{1}{\sqrt{2}}^+} \frac{a-1}{|\sqrt{2}n + a| + a} =$$

$$\text{د} \Rightarrow \sqrt{2}n + a > 0 \rightarrow \lim_{n \rightarrow \frac{1}{\sqrt{2}}^+} \frac{a-1}{\sqrt{2}n + a} \rightarrow \frac{\sqrt{2} \times \frac{1}{\sqrt{2}} + a}{\sqrt{2} \times \frac{1}{\sqrt{2}} + a} = 0 \rightarrow a = -\frac{1}{4}$$

$$n) \frac{1}{\sqrt{2}} \rightarrow \sqrt{2}n > \frac{1}{\sqrt{2}} \rightarrow \frac{-\frac{1}{4}}{\frac{1}{\sqrt{2}} - \frac{1}{\sqrt{2}}} = \infty$$

$$\rightarrow a = -\frac{1}{4} \rightarrow [a] = -1$$

$$n) -\frac{1}{n} \rightarrow \frac{1}{n} \leftarrow -n \rightarrow \frac{1}{n^2} > n \rightarrow -\frac{1}{n^2} < -n$$

$$\left[-\frac{1}{n^2} \right] = -4$$

$$\left[\frac{1}{n^2} \right] = 1n$$

$$\lim_{n \rightarrow +\infty} \frac{14n + 9}{n^2 + n + 1n} = \frac{1}{0^+} = +\infty$$

2a

$$\frac{1}{n+p}$$

$$n \rightarrow p \rightarrow \lambda^p > 1 \rightarrow [\lambda^p] = 1$$

$$\frac{\sqrt{n+p}}{n}$$

$$\lim_{n \rightarrow p} \frac{\lambda^p - 1}{\lambda^p - 1} \stackrel{\text{HOP}}{=} \lim_{n \rightarrow p} \frac{p_n}{\lambda^p} = \frac{p}{1/p} = \frac{1}{p}$$

-10

0

$k > 0$

$k > -1$

$= -\infty$

$$\lim_{n \rightarrow p} \frac{\lambda^p + 10n + 14}{1p + 4\sqrt[n]{n}} = \frac{(n+p)(n+1)}{4(\sqrt[n]{n} + p)}$$

$$= \frac{(n+p)(\sqrt[n]{n} + p)(\sqrt[n]{n} - p\sqrt[n]{n} + k)}{4(\sqrt[n]{n} + p)}$$

$$= \frac{(n+p)(\sqrt[n]{n} - p\sqrt[n]{n} + k)}{4} = -\frac{4 \times 1p}{4} = -1p$$

10
5

$$\lim_{n \rightarrow 0} \sqrt{p + pn} - \sqrt{p - n}$$

$$n \rightarrow 0 \quad \sqrt{1 - \cos \lambda} \quad 1 - (1 - \frac{p}{p}) = \frac{p}{p}$$

$$\sqrt{p(1 + \frac{p}{p}n)} = \sqrt{p} \sqrt{1 + \frac{p}{p}n} = \sqrt{p} \times (1 + \frac{p}{p}n)$$

$$\sqrt{p - n} = \sqrt{p(1 - \frac{n}{p})} = \sqrt{p} \sqrt{1 - \frac{n}{p}} = \sqrt{p} \times (1 - \frac{n}{p})$$

$$n \rightarrow 0 \rightarrow \sqrt{p} (1 + \frac{p}{p}n - 1 + \frac{1}{p}n) = \sqrt{p} n$$

$$\sqrt{\frac{\lambda^p}{p}} = \frac{|\lambda|}{\sqrt{p}} \quad n \rightarrow 0 \quad \frac{-n}{\sqrt{p}} \quad \left. \begin{array}{l} \sqrt{p} \times \frac{\sqrt{p}}{-n} = (-p) \end{array} \right\}$$

$$\cos(\sqrt{a}x) = 1 - \frac{ax^2}{2}$$

$$\lim_{n \rightarrow 0} \frac{k+1 - \frac{an^2}{2}}{kn^2} \stackrel{\text{Hop}}{=} \frac{-an}{2kn} = \frac{-a}{2k} = \mu$$

$a = -4k$

$$\frac{a}{k} = -4$$

$$\text{Hore} \rightarrow \frac{\mu}{\sqrt{n-\mu a}} + \frac{\mu}{\sqrt{n}}$$

$$\frac{\mu n}{\sqrt{n-\mu a} \sqrt{n+\mu a}}$$

$$\left(\frac{1}{\sqrt{n-\mu a}} + \frac{\mu}{\sqrt{n}} \right) \left(\frac{\sqrt{n-\mu a} \sqrt{n+\mu a}}{n} \right)$$

$$= \frac{\sqrt{n+\mu a}}{n} + \frac{\mu \sqrt{n-\mu a} \sqrt{n+\mu a}}{\sqrt{n} n}$$

$$= \left(\frac{\sqrt{4a}}{\mu a} \right)$$

$$n \rightarrow -1^+ \rightarrow \lim_{[n]=-1} \frac{1+k}{n^2-1} = -\infty$$

$1+k > 0$
 $k > -1$

$$n \rightarrow -1^- \rightarrow \lim_{[n]=-1} \frac{1+k}{n^2-1} = -\infty$$

$n \rightarrow -1^+ 0^+$

$$1+\mu k < 0 \rightarrow k < -\frac{1}{\mu} \quad \textcircled{P}$$

$$1+\mu k > 0 \rightarrow -1 < k < -\frac{1}{\mu}$$

$$-\pi < k\pi < -\frac{\pi}{\mu} \rightarrow \cos k\pi < 0$$

طرحه
کرمه

$$\lim_{n \rightarrow \infty} \sqrt{\mu + \dots}$$