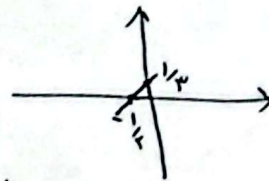


$$y = r_{m-1}$$

$$y = \frac{r_{m+1}}{r} \rightarrow m=0, y = \frac{1}{r}$$

$$\rightarrow \frac{r_{m+1}}{r} = 0 \quad r_{m+1} = 0 \quad m = -\frac{1}{r}$$

$$|s_d = \frac{1}{r} \cdot \left(\frac{1}{r} \cdot \frac{1}{r} \right) = \frac{1}{1/r}$$



$$w) y = n^r - r_{m+1}^r, n \in [1, +\infty)$$

$$y = (n-1)^r + r \quad f^{-1}(n) = \sqrt[n]{n-r} + 1$$

$$D_{f^{-1}} = [r, +\infty)$$

$$\rightarrow y = n^r - r_{m+1}^r$$

$$f^{-1}(n) = \sqrt[n]{n-r} + 1$$

$$R_f = [y, +\infty)$$

$$D_{f^{-1}} = [y, +\infty)$$

$$\sqrt[n]{n-r} + 1 = r$$

$$\sqrt[n]{n-r} = r$$

$$n-r = r^n \quad n = y$$

$$f(n) = r_{m-1} - \sqrt{4 - f(n)(f-m)}$$

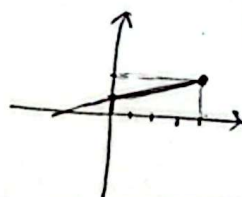
$$r_{m-1} - \sqrt{4 - 14m + 4m^2}$$

$$r_{m-1} - \sqrt{4 - f(r-m)r} = r_{m-1} - r(r-m) = r_{m-1} + r$$

$$D_f = (-\infty, r]$$

$$f(n) = r_{m-1} - r \quad f^{-1}(n) = \frac{n}{r} + 1$$

$$R_{f^{-1}} = (-\infty, r]$$



$$s = \frac{(1+r) \times r}{r} = 4$$

$$y = \frac{n}{\sqrt{n^r - a}} \quad \frac{n_1}{\sqrt{n_1^r - a}} = \frac{n_r}{\sqrt{n_r^r - a}} \quad \frac{n_1^r}{n_1^r - a} = \frac{n_r^r}{n_r^r - a}$$

$$\frac{n_1^r}{n_1^r - a} - \frac{n_r^r}{n_r^r - a} = \frac{n_1^r}{n_1^r - a} - \frac{n_r^r}{n_r^r - a}$$

$$n_1^r = n_r^r \quad n_1 = \pm n_r$$

مكتوب

$$I(n) = \begin{cases} n^r - r n + k, & n \geq r \\ -n^r + r n + k, & n < r \end{cases}$$

~~$\Lambda + PK < PK - f$~~
 ~~$PK < -1P$~~
 ~~$PK < -4$~~

$\bullet < k$

$$\begin{aligned} w_k &< f-k & 0 < k < 1 \\ f_k &< f \\ k &< 1 \end{aligned}$$

$$f(x) = \frac{1}{x} + |x|$$

$$f(n) = \begin{cases} r_n & n \geq 0 \\ p_n & n < 0 \end{cases}$$

$$L(\lambda) \begin{cases} \frac{m}{\epsilon} & m \geq 0 \\ \frac{m}{\gamma} & m < 0 \end{cases}$$

~~$$\frac{1}{2} \left(\frac{1}{2} + \frac{1}{2} \right) = \frac{1}{2}$$~~

~~Ex-10~~

$$L(x) = \frac{v}{\lambda} x - \frac{1}{\lambda} |x|$$

$$a = r_{\wedge}$$
$$b = -1/\wedge$$

$$ab = \frac{r}{\lambda} \times -\frac{1}{\lambda} = -\frac{r}{4\lambda}$$

$$f(m) = \frac{r+m+E}{r+m} \xrightarrow{m \rightarrow \infty} \frac{4+E}{r+m} = -1. \quad \begin{matrix} r+m = -1 \\ m = -1 \end{matrix}$$

$$f(n) = \frac{\mu_n + \varepsilon}{n + \mu}$$

$$f^{-1}(a) \rightarrow y - \frac{r_n + \epsilon}{n - r}$$

$$y_n - \bar{y} = r_{n+\bar{t}} \quad y = \frac{r_{n+\bar{t}}}{n-\mu} \quad \frac{1}{(n)} = \frac{r_{n+\bar{t}}}{n-\mu}$$

$$y_n - r_n = r y + \varepsilon$$

$$f \circ f^{-1} = \text{id}$$

$$\cancel{f \circ f^{-1}(x)} + f^{-1}(x) = n$$

$$x + \frac{r_{n+f}}{n-r} = n$$

$$\frac{r_{m+f}}{m-r} = 0 \quad \begin{matrix} r_{m+f} = 0 \\ r_m = -f \end{matrix} \quad \boxed{x = -\frac{r}{r}}$$

$$f(r-m) = r - g\left(\frac{m}{r}\right)$$

$$m = t \quad n = r t'$$

$$r-m=t \quad m = \frac{r-t}{r}$$

$$f(t) = r - g\left(\frac{r-t}{r}\right)$$

$$g(t) = r - f\left(\frac{r-t}{r}\right)$$

$$r - g\left(\frac{r-t}{r}\right) = -r$$

$$r - f\left(\frac{r-t}{r}\right) = t \quad f\left(\frac{r-t}{r}\right) = -r$$

$$g\left(\frac{r-t}{r}\right) = t \quad g^{-1}(t) = \frac{r-t}{r}$$

$$g\left(\frac{r-t}{r}\right) = r - f\left(r - r\left(\frac{r-t}{r}\right)\right) = t$$

$$r - f(t) = t \quad f(t) = -r$$

$$-f(t) = r \quad f^{-1}(-r) = (t)$$

$$\left| r\left(\frac{r-t}{r}\right) + t = r \right|$$

~~$$\frac{\Delta n - 1r}{n-1} \rightarrow \frac{\Delta n - 1r}{n-r} \rightarrow \frac{\Delta n - 1r}{n-r} \rightarrow \frac{\Delta n - 1r}{n-r} \rightarrow \frac{\Delta n - 1r}{n-r}$$~~

$$y = \frac{\Delta n - 1r}{1-n} \xrightarrow{r} \frac{\Delta n - 1r}{n-1} \quad \frac{\Delta(n-r) - 1r}{(n-r)-1} - r = \frac{\Delta n - 1r}{n-r} - r$$

$$\frac{\Delta n - 1r - r(n-r)}{n-r} = \frac{\Delta n - 1r - rn + r^2}{n-r} = \frac{r^2 - 1r}{n-r} \quad f(n) = \frac{r^2 - 1r}{n-r}$$

$$f^{-1}(n) = \frac{r^2 - 1r}{n-r} \quad \frac{r^2 - 1r}{n-r} = \frac{r^2 - 1r}{n-r} \quad (n-r)(r^2 - 1r) = (r^2 - 1r)(n-r)$$

$$r^2 n - r^2 m + r^2 r = r^2 n - 1 r n + r^2 m$$

$$n^2 - \Delta n + 1r = 0$$

$$n^2 - \Delta n + 1r = 0 \quad (n-r)(n+r) = 0 \quad n = -r \quad n = r \quad \boxed{n_1 + n_2 = -\Delta}$$

$$f(n) = n + f(n)$$

$$[y] = [n] + f[n] \quad [x] \rightarrow \Delta[x] \quad f^{-1}(n) = [n]$$

$$\frac{[x] - [y]}{\Delta}$$