

$$\lim_{n \rightarrow r} \frac{r_n - d}{n^r + an + b} = -\infty \rightarrow n^r + an + b_2 (n-r)^r \rightarrow n^r - r^n + r^r \rightarrow a = -r, b = r^r \quad (1)$$

$$a + b = 0$$

$$\lim_{n \rightarrow (\frac{1}{r})} \frac{n}{n^r + an + b} = +\infty \rightarrow n^r + an + b_2 (n - \sqrt[r]{r})^r \rightarrow n^r - r\sqrt[r]{r}n + \sqrt[r]{r} \quad (2)$$

$$\rightarrow \left[\frac{b}{a} \right] = \left[\frac{\sqrt[r]{r}}{-r\sqrt[r]{r}} \right] = \left[\frac{\sqrt[r]{r}}{-r} \right] = \left[-r^{-\frac{1}{r}} \right] = \boxed{-1}$$

$$\lim_{n \rightarrow (\frac{1}{r})^+} \frac{[-r]^+ + a}{|\frac{1}{r}n + a| + a} = -\infty \rightarrow \lim_{n \rightarrow \frac{1}{r}} \frac{a-1}{|a + \frac{1}{r}| + a} = -\infty \rightarrow \frac{a-1}{ra + \frac{1}{r}} = -\infty \quad (3)$$

$$\rightarrow a = -\frac{1}{r} \rightarrow [a] = -1$$

$$n > \frac{1}{r} \rightarrow n^r < \frac{1}{r} \rightarrow \frac{1}{n^r} > r \rightarrow \frac{-r}{n^r} < -1 \rightarrow \left[\frac{-r}{n^r} \right] = -1 \quad (4)$$

$$n > \frac{1}{r} \rightarrow n^r < \frac{1}{r} \rightarrow \frac{1}{n^r} > r \rightarrow \frac{r}{n^r} > 1r \rightarrow \left[\frac{r}{n^r} \right] = 1r \quad (5)$$

$$\lim_{n \rightarrow (\frac{1}{r})^+} \frac{14n - \left[\frac{-r}{n^r} \right]}{r^n + \left[\frac{r}{n^r} \right]} = \frac{14n + r}{r^n + 15} = \frac{1}{0^+} = \boxed{+\infty}$$

$$\lim_{n \rightarrow r} \frac{n^r - r}{n^r - 1} = \frac{(n-r)(n+r)}{(n-r)(n^r + r)} = \frac{n+r}{n^r + r} = \frac{r}{1r} = \frac{1}{r} \quad (6)$$

$$\lim_{n \rightarrow -1} \frac{n^r + 6n + 4}{1r + 4\sqrt[n]{n}} = \frac{(n+r)(n+r)}{1r + 4\sqrt[n]{n}} = \frac{0}{0} \text{ HOP } \frac{r+10}{\frac{4}{r^r}} = \frac{\sqrt[r]{r}(r+10)}{r} \quad (7)$$

$$\frac{(r)(-4)}{r} = \boxed{-15}$$

$$\lim_{\lambda \rightarrow 0} \frac{\sqrt{1-\cos \lambda} - \sqrt{1-\cos \pi}}{\sqrt{1-\cos \lambda}} = \frac{f(\lambda)}{g(\lambda)} = \frac{f'(\lambda)}{g'(\lambda)} = \frac{-f}{-g} = \boxed{-1} \quad \textcircled{V}$$

$$\lim_{n \rightarrow 0} \frac{k + \cos(\sqrt{n})}{k n^r} \rightarrow \frac{0}{0} \text{ form } \rightarrow \frac{0}{0} \rightarrow \dots \rightarrow 1$$

$$k+1 \rightarrow k-1 \rightarrow \lim_{n \rightarrow \infty} \frac{\cos(\sqrt{n}k) - 1}{-2^k} \rightarrow \frac{0}{0} \rightarrow \text{HOP} \rightarrow$$

$$\frac{-\sin(\sqrt{a}) \times \frac{\sqrt{a}}{2}}{-\tan} \rightarrow \frac{-\sqrt{a} \times \frac{\sqrt{a}}{2}}{-\tan} \rightarrow \frac{a}{\tan} = k \rightarrow \boxed{a=4} \rightarrow \frac{a}{h} = \boxed{-4}$$

$$\lim_{x \rightarrow \infty} \frac{\sqrt{x-a} + \sqrt{x} - \sqrt{a}}{\sqrt{x-a}} = \frac{1}{\sqrt{x-a}} + \frac{\sqrt{x}}{\sqrt{x-a}} = \frac{\sqrt{x} + \sqrt{x-a}}{(\sqrt{x})(\sqrt{x-a})} = \frac{\sqrt{x} + \sqrt{x-a}}{\sqrt{x} \times \sqrt{x-a}} \quad (1)$$

$$n \rightarrow (-1)^+ \rightarrow \frac{1+k}{2^5-1} \xrightarrow{z \rightarrow \infty} 0 < h+1 \rightarrow -1 < h \quad \left\{ \begin{array}{l} \rightarrow -1 < k \leq \frac{1}{r} \end{array} \right. \quad (10)$$

$$h \rightarrow (-1) \rightarrow \frac{1+\sqrt{k}}{2^{\frac{r}{2}-1}} \rightarrow \infty \rightarrow 1+\sqrt{k} < e \rightarrow h < \frac{1}{\sqrt{k}}$$

$$\rightarrow -\pi < \ln z < \frac{\pi}{4} \rightarrow -1 < \cos \ln z < 0 \rightarrow \boxed{\text{periodic}}$$