

نام و نام خانوادگی آروین فالتی پاسخنامه تشریحی تکلیف شماره کلاس

$\lim_{n \rightarrow \infty} A \rightarrow \frac{0}{0} \Rightarrow$ لیمیت کا قانون $\Rightarrow \frac{f'(n)}{g'(n)} \Rightarrow \frac{m}{p}$??
 $\Rightarrow \frac{f'(n)}{g'(n)} \Rightarrow \frac{m}{p}$??



1

[illegible]



3

$$f(\eta) = \begin{cases} \tan \frac{(\eta+1)\pi}{2} ; \eta \leq 1 \\ \frac{|\eta^2 + \eta - 1|}{a(1-\eta)} ; 1 < \eta < d \\ b(\eta - [-\eta]) ; \eta \geq d \end{cases} \quad \left\| \begin{array}{l} \text{für } \eta \leq 1 \\ \eta \leq 1 \\ \eta \leq 1 \end{array} \right. \quad \tan \frac{\pi \pi}{2} = \lim_{\eta \rightarrow 1} \frac{|\eta^2 + \eta - 1|}{a(1-\eta)} \xrightarrow{\frac{0}{0}} -1 = \frac{V_{0d} a}{-a} \Rightarrow \frac{V}{-a} < -1 \Rightarrow \underline{a \leq V}$$

$$\lim_{\eta \rightarrow d} \frac{|\eta^2 + \eta - 1|}{a(1-\eta)} = b(\eta - [-\eta]) \Rightarrow \frac{V_{0d} d - 1}{V_{0d} - 1} < \frac{V}{1} = \frac{V}{V} \leq b(d - [-d]) < \underline{b}$$

$$\Rightarrow \underline{b \leq \frac{V}{V}} \Rightarrow \underline{b \leq \frac{V}{V}} \Rightarrow \underline{ab \leq \frac{V_{0d} - V}{V_{0d} - 1} < \frac{-V}{1} = -0.1V}$$



3

چون من خواص پیوسته باشد و f ثابت باشد، $f(a) = b$ و $f(b) = a$ است. $f(a) = b$ و $f(b) = a$ است. $f(a) = b$ و $f(b) = a$ است.

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C

$f(n) = b[n^2 - a_n] - 2a \xrightarrow{\text{معمولی حد}} b \neq 0 \Rightarrow f(n) \sim -2a, a \neq 0 \Rightarrow \frac{a}{f(b)} \sim \frac{a}{-2a} = -\frac{1}{2}$

⑤

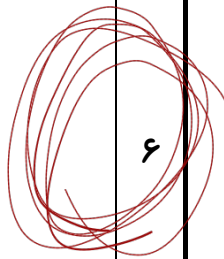
2

$$\lim_{n \rightarrow \infty} \frac{P_{n+1} + m}{-1} = P_{n+1} - P_n \quad \text{①}$$

$$f(P_n) = 0 \Rightarrow \frac{P_{n+1} + m}{-1} = 0 \Rightarrow P_{n+1} + m = 0 \Rightarrow P_{n+1} = -m$$

فرض کنیم $a = P$ $\Rightarrow n \leq 1 \Rightarrow n - m < 1$

و نیز $a = -\frac{1}{m} \Rightarrow m = -a$



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$$(1-a)(-1) = (P_{n+1}-1)(-1) = b \sin \frac{\pi}{a} \Rightarrow a-1 = P_{n+1} \Rightarrow P_{n+1} + a = 0 \Rightarrow \begin{cases} a = \frac{P}{P} \\ a = -1 \end{cases}$$

$$\Rightarrow a-1 = b \sin \frac{\pi}{a} \Rightarrow \begin{cases} a-1 = -P b \sin \frac{\pi}{a} \\ a = \frac{P}{P} \Rightarrow \frac{1}{P} = b \sin \frac{\pi}{P} \Rightarrow \frac{1}{P} = b \Rightarrow b = \frac{1}{P} \Rightarrow \frac{a}{b} = \frac{P}{1/P} = P^2 \end{cases}$$

$$\lim_{n \rightarrow \infty} \frac{m \left| \frac{P_{n+1} + m}{-1} - m \right|}{m \left| \frac{P_{n+1} + m}{-1} - 1 \right|} = \frac{m}{m+1} \Rightarrow \frac{m}{m+1} = \frac{m}{m+1} \Rightarrow \frac{m}{m+1} = \frac{m}{m+1} \Rightarrow \frac{m}{m+1} = \frac{m}{m+1}$$

و نیز $\lim_{n \rightarrow \infty} \frac{m \left| \frac{P_{n+1} + m}{-1} - m \right|}{m \left| \frac{P_{n+1} + m}{-1} - 1 \right|} = \frac{1}{1} = 1$



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$$\lim_{n \rightarrow \infty} \frac{P_{n+1} + m}{-1} = P_{n+1} - P_n \Rightarrow P_{n+1} + m = 0 \Rightarrow P_{n+1} = -m$$

$$\Rightarrow \left| \frac{P_{n+1} + m}{-1} - m \right| = \left| -1 - (m+1) \right| = \left| -1 - m - 1 \right| = \left| -2 - m \right| = \left| m+2 \right|$$

و نیز $\lim_{n \rightarrow \infty} \frac{P_{n+1} + m}{-1} = P_{n+1} - P_n \Rightarrow P_{n+1} + m = 0 \Rightarrow P_{n+1} = -m$



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$$\lim_{n \rightarrow \infty} \frac{P_{n+1} + m}{-1} = P_{n+1} - P_n \Rightarrow P_{n+1} + m = 0 \Rightarrow P_{n+1} = -m$$

و نیز $\lim_{n \rightarrow \infty} \frac{P_{n+1} + m}{-1} = P_{n+1} - P_n \Rightarrow P_{n+1} + m = 0 \Rightarrow P_{n+1} = -m$

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۱- عدد a باید تنها ریشه‌ی زیر را بسازد و مخرج را هم صفر کند!

$$\Delta = 0 \rightarrow (m+3)^2 - 4 \times 4 \left(\frac{m}{4} \right) = m^2 - 4m + 9 = 0 \rightsquigarrow \boxed{m=3}$$

$$\lim_{n \rightarrow a} \frac{\sqrt{4(n^2 + n + \frac{1}{4})}}{|2n^3 + a^3|} = \frac{\sqrt{4}|n + \frac{1}{4}|}}{|2n^3 + a^3|} \rightsquigarrow 2a^3 + a^3 = 0 \rightarrow a = 0 \quad (\text{مخرج صفر نمی‌شود و صورت عدد است})$$

$$\hookrightarrow a = -\frac{1}{4} \checkmark \rightsquigarrow \frac{\sqrt{4}|n + \cancel{\frac{1}{4}}|}}{|2n^3 + \cancel{\frac{1}{4}}||n^2 - \frac{1}{4}n + \frac{1}{4}|}} = \frac{2\sqrt{4}}{3}$$

$$\frac{2 \tan b}{\sqrt{-(-\frac{1}{4})}} = \frac{2\sqrt{4}}{3} \rightsquigarrow \tan b = \sqrt{\frac{3}{2}} \rightarrow b = \frac{\pi}{4}$$