

۱۸، ۸ (تخصصی محاسبی)

$$a + |n| \rightarrow \underline{a + 1 = b}$$

$$b \sqrt[n]{n^r}$$

$$1 = \frac{r b}{r} = b = \frac{r}{r}$$

$$a = \frac{1}{r} \rightarrow \underline{a + b = 2}$$

در معادله مشتق نابینا است

$$g(n) = \frac{|n-r| + \sqrt{r n}}{r \sqrt[n]{n^r}} = \frac{|n-r|}{r \sqrt[n]{n^r}} + \frac{\sqrt{r n}}{r \sqrt[n]{n^r}} = \frac{1}{r} f(n) + \sqrt[r]{n} n^{-1/r}$$

$$g'(n) = \frac{1}{r} f'(n) - \frac{\sqrt{r}}{r} n^{-\frac{r}{r}} - \frac{r}{r}$$

$$\rightarrow f'(n) - r g'(n) = \underline{\frac{\sqrt{r}}{r}} \checkmark$$

$$b n + c$$

$$\frac{1}{n}$$

$$\rightarrow b n + c = \frac{1}{n} \rightarrow \underline{a^r b + c n = 1}$$

$$\rightarrow b = \frac{-1}{a^r} = a^r b = -1$$

$$\underline{c a = r}$$

$$b$$

$$\rightarrow \cdot$$

$$b + (n-a)^m \rightarrow m(n-a)^{m-1}$$

$$\rightarrow \underline{m=1}$$

$$g'(\sqrt[n]{r}) \cdot f(g(\sqrt[n]{r})) = f'_{og}(\sqrt[n]{r})$$

$$g(n) = \frac{1}{r n^r}$$

$$f(n) = \frac{1}{r \sqrt[n]{n^r}}$$

$$\Rightarrow f \circ g = \underline{n}$$

$$f'_{og}(n) = n$$

$$\rightarrow f'_{og}(\sqrt[n]{r}) = n \rightarrow f'_{og} = \underline{1}$$

$$\frac{P'}{f(r)} = \frac{P}{f(r)+r} \rightarrow y = -u\alpha - \alpha$$

$$-a = -ra - \alpha + r$$

$$ra = -r \quad \underline{a = -1/r} \rightarrow P'(r) = -1/r$$

$$P(r) = -ra - \alpha \rightarrow P(r) \cdot 1/r - \alpha = -1/r$$

$$-1/r \cdot \frac{1}{r} = \frac{1}{r^2}$$

(9)

(1, v)

$$f \circ g(n) = g'(n) \cdot f'(g(n)) = -\sqrt{r} \times 4\epsilon \rightarrow \frac{4\epsilon \sqrt{r} - \lambda \sqrt{r}}{-1/r \sqrt{r}} = \textcircled{r} \quad (v)$$

$$g(n) = (n^r - 1)^{-1/r} = -1/r (n^r - 1)^{-1/r} \times r\alpha = -1/r \times \frac{1}{\sqrt[r]{n^r - 1}} \times r \times \frac{1}{\sqrt[r]{n^r - 1}} = -1/\sqrt[r]{n^r - 1} = -1/\sqrt[r]{n^r} = -1/\sqrt[r]{n}$$

$$g(1/r) = \textcircled{r} \rightarrow P(n) = 1/rn^r + 1 \rightarrow P'(n) = r/n \rightarrow P'(r) = 4\epsilon n$$

$$g(n) = P(n+1) + P(rn+1) =$$

$$g'(n) = P'(n+1) + r P'(rn+1) = P'(-1) + r P'(r) = 1/r + r \times 1/r = \textcircled{2}$$

(v) (1)

$$\frac{P}{f(\Delta-n)} = \frac{r P}{f(\Delta-n) + r}$$

hop

$$\frac{r P'(\Delta-n) + P'(\Delta-n) \cdot \frac{r\Delta}{r}}{f(\Delta-n) + r} = \frac{r\Delta}{r^2}$$

(1, v) (9)

$$P(n) = (n-r) \sqrt[n+r]{n+r} \xrightarrow{P'(n)} 1 \times \sqrt[n+r]{n+r} + (n-r) \times \frac{1}{r \sqrt[n+r]{(n+r)^r}} =$$

$$4y = rx + 1 \rightarrow y = 1/r x + 1/4 \quad \textcircled{m=1/r}$$

$$y' = rx - r$$

(1, 8)

(1)

$$rx - r = -r$$

$$-r = \text{...}$$

$$rx - r = 1/r \rightarrow rx = 1/r \Rightarrow x = 1/r^2$$

$$y = 1/r x + 1/4 \rightarrow \frac{1}{r} + \frac{1}{4} = \frac{r^2 + r}{r^2} =$$

$$(1/r, r/r^2) \rightarrow \text{نقطة الحد الأدنى}$$

نقطة الحد الأدنى

$$f(r) = -ra - a \quad f'(r) = -a$$

$$-a - (-ra - a) = r \rightarrow ra = r \rightarrow a = -\frac{r}{r}$$

$$-r(-\frac{r}{r}) - a = -\frac{1}{r}$$

$$\rightarrow \frac{f(r)}{f'(r)} = \frac{-\frac{1}{r}}{-\frac{r}{r}} = \frac{1}{r}$$

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$$(f \circ g)' = g'(\frac{r}{\sqrt{\lambda}}) \times f'(g(\frac{r}{\sqrt{\lambda}}))$$

$$g(\frac{r}{\sqrt{\lambda}}) = \frac{1}{\sqrt{\frac{9}{\lambda} - 1}}} = r \rightarrow g'(\frac{r}{\sqrt{\lambda}}) \times f'(r)$$

$$g'(\frac{r}{\sqrt{\lambda}}) = -\frac{1}{r} (u^r - 1)^{-\frac{r}{r}} \times r u = \frac{9}{\sqrt{\lambda}} \times -\frac{1}{r} \times (\frac{9}{\lambda} - 1)^{-\frac{r}{r}} = -\frac{r}{\sqrt{\lambda}} \times (r^{-r})^{-\frac{r}{r}}$$

$$= -\frac{r^{\Delta} \times \sqrt{r}}{r} = -\lambda \sqrt{\lambda}$$

$$f(u), u = r \rightarrow f(u) = u[\varepsilon]^r + 1 = u u^r + 1 \rightarrow f'(r) = r f(r) = 4r$$

$$\frac{-\lambda \sqrt{r} \times 4r}{-1 \times \lambda \sqrt{r}} = r$$

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$$\lim_{h \rightarrow 0} \frac{(f(\Delta - h) - r)(f(\Delta - h) - 1)}{h(\Delta - h)} = -f'(\Delta) \times \frac{(f(\Delta) - 1)}{\Delta}$$

$$f'(\Delta) = \sqrt[n+3]{n+3} + \frac{n-r}{\sqrt[n+3]{(n+3)r}} \sim -f'(\Delta) = (\sqrt[n]{n} + \frac{1}{\sqrt[n]{n \times r}}) = r + \frac{1}{r} = -\frac{r\Delta}{r}$$

$$-\frac{r\Delta}{r} \times \frac{r-1}{\Delta} = \boxed{-\frac{\Delta}{r}}$$

تقریب مستقیم $\rightarrow \frac{f(h) - f(\Delta - h)}{h} = f'(\Delta)$