

$$\begin{cases} 2^x \cdot 3^{A+B} = 9 \Rightarrow 2^x \cdot 3^{A+B} \\ 2^x \cdot 3^{A+B} = 1 \Rightarrow A+B=0 \end{cases} \Rightarrow \begin{cases} 2^x \cdot 3^{A+B} = 2 \\ A+B=0 \end{cases} \Rightarrow \frac{2^x \cdot 3^{A+B}}{2^x \cdot 3^{A+B}} = \frac{2}{2} \Rightarrow A=1 \Rightarrow B=-1$$

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تغییراتی

$$f(x) = 3^x \Rightarrow 3^{-1} = \frac{1}{3} \Rightarrow \frac{1}{3}$$

$$\log_r (r^{n+1} + \omega) = n+r \Rightarrow \log_r (r^{n+1} + \omega) = \log_r r^{n+r} \Rightarrow r^{n+1} + \omega = r^{n+r} \Rightarrow r^{n+1} + \omega = r^{n+r} \Rightarrow$$

$$r^{2n} - r^{n+r} + \omega = 0 \Rightarrow r^{2n} - r^n \cdot r^r + \omega = 0 \Rightarrow r^n (r^n - r^r) + \omega = 0 \Rightarrow (r^n - r^r)(n - \omega) = 0 \Rightarrow 9$$

$$r^n = \omega \Rightarrow n = \log_r \omega, r^{n+r} = r^n \cdot r^r \Rightarrow \log_r r^{n+r} = \log_r r^n + \log_r r^r \Rightarrow \log_r \omega$$

$$(\log_r r)^r + \log_r r^{\log_r r} = (\log_r r)^r + \log_r r^{\log_r r} = (\log_r r)^r + r \log_r r^{\log_r r} = (\log_r r)^r + r \log_r r^{\log_r r} + (\log_r r^{\log_r r})^r$$

$$(\log_r r + \log_r r^{\log_r r})^r = (\log_r r (1 + r^{\log_r r}))^r = (\log_r r)^r (1 + r^{\log_r r})^r = (\log_r r)^r = r$$

$$\log (n^r - r^{n+1}) + r \log (1-n) = \omega, \log_r^{-n}$$

$$n^r - r^{n+1} \times (1-n)^r = 1 \cdot \omega \Rightarrow (1-n)^r (1-n)^r = 1 \cdot \omega \Rightarrow (1-n)^{2r} = 1 \cdot \omega \Rightarrow 1-n = 1 \cdot \omega \Rightarrow n = 1 - \omega = 9$$

$$\log_r 9 = r$$

$$\log_r (n^r + r^{n+r}) + \log_r (n-r) = r \Rightarrow (n^r + r^{n+r}) (n-r) = 1 \Rightarrow (n^r - 1) = 1 \Rightarrow$$

$$n^r = 1 \Rightarrow n = \sqrt[r]{1} \Rightarrow \log_r \frac{1}{\sqrt[r]{1}} \Rightarrow \log_r 1 = r$$

$$\log (r-n) - \log \frac{1}{(n-r)^r} = r \Rightarrow (r-n)(n-r)^r = 1 \cdot r \Rightarrow -(n-r)(n-r)^r = 1 \cdot r \Rightarrow -(n-r)^{r+1} = 1 \cdot r$$

$$r-n = 1 \cdot r \Rightarrow n = -1 \Rightarrow \log_r \frac{1}{\sqrt[r]{1}} \Rightarrow \frac{1}{r} \log_r 1 = \frac{1}{r} \cdot r = \frac{r}{r}$$

$$\frac{r}{r} = 1$$

$$r^{n^r - r} = 1 \Rightarrow r^{n^r - r} = r^{n^r - r} \cdot r^{n^r} \Rightarrow n^r - r = n^r \Rightarrow n^r - r - n^r = 0 \Rightarrow$$

$$n = \frac{r \pm \sqrt{r^2}}{r} \Rightarrow \frac{r + \sqrt{r^2}}{r}, \frac{r - \sqrt{r^2}}{r} \Rightarrow \frac{r + r}{r}, \frac{r - r}{r} \Rightarrow \frac{r + \sqrt{r^2}}{r}, \frac{r - \sqrt{r^2}}{r} \Rightarrow$$

$$n - r > 0 \Rightarrow n > r \Rightarrow n = r + \sqrt{r^2}$$

$$\log \frac{r + \sqrt{r^2} - r}{r} \Rightarrow \log \frac{\sqrt{r^2}}{r} \Rightarrow \frac{1}{r} \log_r r = \frac{1}{r}$$

$$\log^r r = \frac{\omega}{\lambda} \Rightarrow \log^r 1 \Rightarrow \log^r 1 \Rightarrow r (\log^r 1) = r \left( \frac{1}{\log^r r + r \log^r r} \right) \Rightarrow r \left( \frac{1}{\frac{\omega}{\lambda} + \frac{\omega}{\lambda}} \right) = \frac{r}{\frac{2\omega}{\lambda}} = \frac{r\lambda}{2\omega}$$

$$\log^r r = \frac{1}{\log^r r} = \frac{\omega}{\lambda} \Rightarrow \log^r r = \frac{\lambda}{\omega} *$$

$$\log^r r = 1 \Rightarrow \log^r r = \frac{\omega}{\lambda} \Rightarrow r \log^r r = \frac{\omega}{\lambda} \Rightarrow \log^r r = \frac{\omega}{\lambda} \Rightarrow \log^r r = \frac{\lambda}{\omega} *$$

$$\log^r r \Rightarrow \frac{1}{\log^r r} \Rightarrow \frac{1}{\log^r r + \log^r r} = \frac{1}{\log^r r + 1} = \frac{1}{\frac{\omega}{\lambda} + \frac{\lambda}{\omega}} = \frac{\lambda}{\omega + \lambda}$$

$$\log^r r = \frac{1}{\log^r r} = \frac{1}{\log^r r + \log^r r} \Rightarrow \frac{1}{\frac{\omega}{\lambda} + \frac{\lambda}{\omega}} = \frac{\omega}{\omega + \lambda}$$

$$a \log^r r - a + b \log^r r = 0 \Rightarrow a \log^r r + b \log^r r = a \Rightarrow (a+b) \log^r r = a \Rightarrow \frac{a+b}{a} \log^r r = 1$$

$$\left(1 + \frac{b}{a}\right) \log^r r = 1 \Rightarrow \frac{1}{\log^r r} = 1 + \frac{b}{a} \Rightarrow \log^r r = 1 + \frac{b}{a} \Rightarrow \frac{b}{a} = \log^r r - 1$$

$$\left(\sqrt{r}\right) \log^r r - \log^r r \Rightarrow (r) \frac{1}{r} \log^r r \Rightarrow r \log^r r \Rightarrow \omega \log^r r \Rightarrow (\omega) \frac{1}{r} = \sqrt{\omega}$$