BISIMPOSIL RUSHOUS $f(R) = \begin{cases} cot & rch & rkl \\ \sqrt{x^2+1} & rkl \end{cases}$ $f(R) = \begin{cases} cot & rch & rkl \\ \sqrt{x^2+1} & rkl \end{cases}$ $f(R) = \begin{cases} cot & rch & rkl \\ rkl & rkl \end{cases}$ $f(R) = \begin{cases} cot & rch & rkl \\ rkl & rkl \end{cases}$ $f(R) = \begin{cases} cot & rch & rkl \\ rkl & rkl \\ rkl & rkl \end{cases}$	= Cot = 17 = 17 = (47)
$f(g(\frac{1}{k})) = \frac{1}{k} = \frac{1}{k}$ $f(\frac{1}{k}) = \frac{1}{k} = \frac{1}{k} = \frac{1}{k}$	(i.i.) (i.i.)

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نورنسن ارزيس. مازهم مسره الماريس هوضوع
$\theta(\xi(\xi))=1$ $\theta(\xi(\xi))=1$ $\theta(\xi(\xi))=1$
$f(\underline{\mathbb{F}}) = \sin \underline{\mathbb{F}} = \underline{\mathbb{F}}$
$\cdots \cdots \otimes (N) = \sqrt{N} \cdot \sqrt{1 - (\sqrt{N})^{1/2}} \cdot \cdots$
$\frac{1}{\sqrt{2}} = \frac{1}{\sqrt{2}} \times \frac{1}{\sqrt{2}} = 1$
f(N) = f(+90), g(+90), g(+90
$ \Theta(n) = \frac{1}{2}(x^2 + 6) \cdot 1$
(a) $fog(u) = f(+, \omega)(9, \omega)(n, w)$
(4) (491) (491) (491) (491) [
$(6/6)(3) = \{(3/6)(1/6)\}$
$(a) \log(a) = \frac{1}{2(a + b)} (a + b) = \frac{1}{2(a$

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نوسس اردسی - بازهم ساق تاريخ (۵) . . . (۱۰۲) (۲۵۲) (۲۵۲) (۲۵۲) = +. (4,x). ∈ fog. f(g(u)). a=+. (tol) = 908 : 9(f(n) - : b=0: (a,b) = (x,a) 4(ACM)= +N+14. (9) GCAX AM = AX-L (1) BOX-(-1) =3 g(f(-1))=? +(-1)=-K+h=-1. · 1. +(+(-1))=-1.]. . . (-1)-5. (-1)-4.]. $V_{N+1} = -1$ $g(n) = \frac{1}{1} \cdot \dots \cdot n \Rightarrow f(n) = c \cdot \dots$ · O. .. - K. - K.) = Dof= & (08+00) - 203 Y-AVrn n+1

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