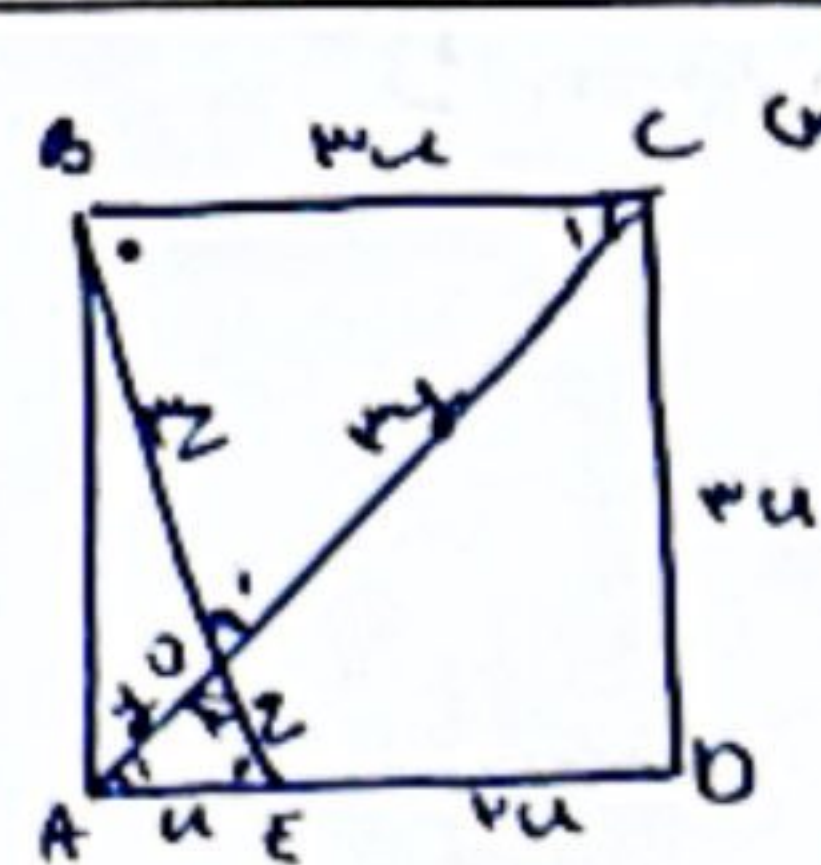


نام و نام خانوادگی پاسخنامه تشریحی تکلیف شماره ...!... کلاس ...!... پیدا کردیم



شعاع دو زاویه متقابل به رأس $\hat{O}_1 = \hat{O}_2$ متقابل به رأس $\hat{A}_1 = \hat{C}_1$ $\xrightarrow{\text{شعاع دو زاویه متقابل به رأس (زوجی)}} \triangle AOE \sim \triangle COF \Rightarrow \frac{OE}{AE} = \frac{OF}{CF} = \frac{OC}{OA} \Rightarrow OC = 3OA \Rightarrow BO = 3OE$

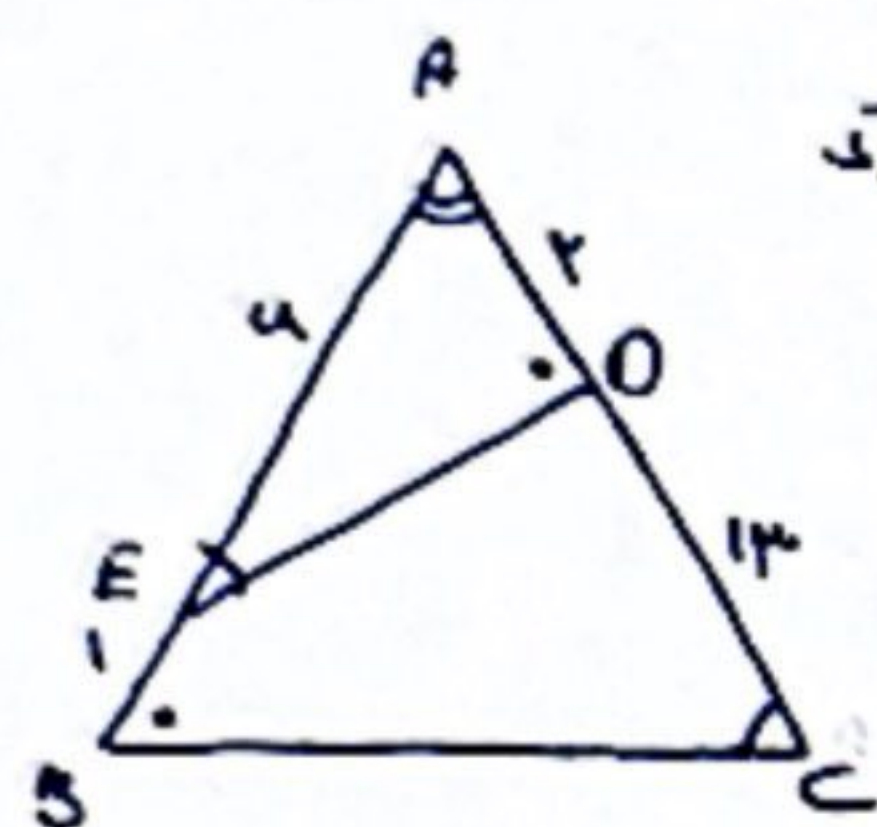
- $\triangle ACO$ و $\triangle AEO$: $AC^2 = CO^2 + AO^2 \Rightarrow 14y^2 = (3u)^2 + (u)^2 \Rightarrow 14y^2 = 10u^2 \xrightarrow{\text{چون}}$

$4y = \sqrt{10}u \Rightarrow y = \frac{\sqrt{10}}{4}u$

- $\triangle ABE$ و $\triangle AFE$: $BE^2 = AE^2 + AB^2 \Rightarrow 14z^2 = (u)^2 + (4u)^2 \Rightarrow 14z^2 = 17u^2 \xrightarrow{\text{چون}}$

$z = \sqrt{17}u \Rightarrow z = \frac{\sqrt{17}}{14}u$

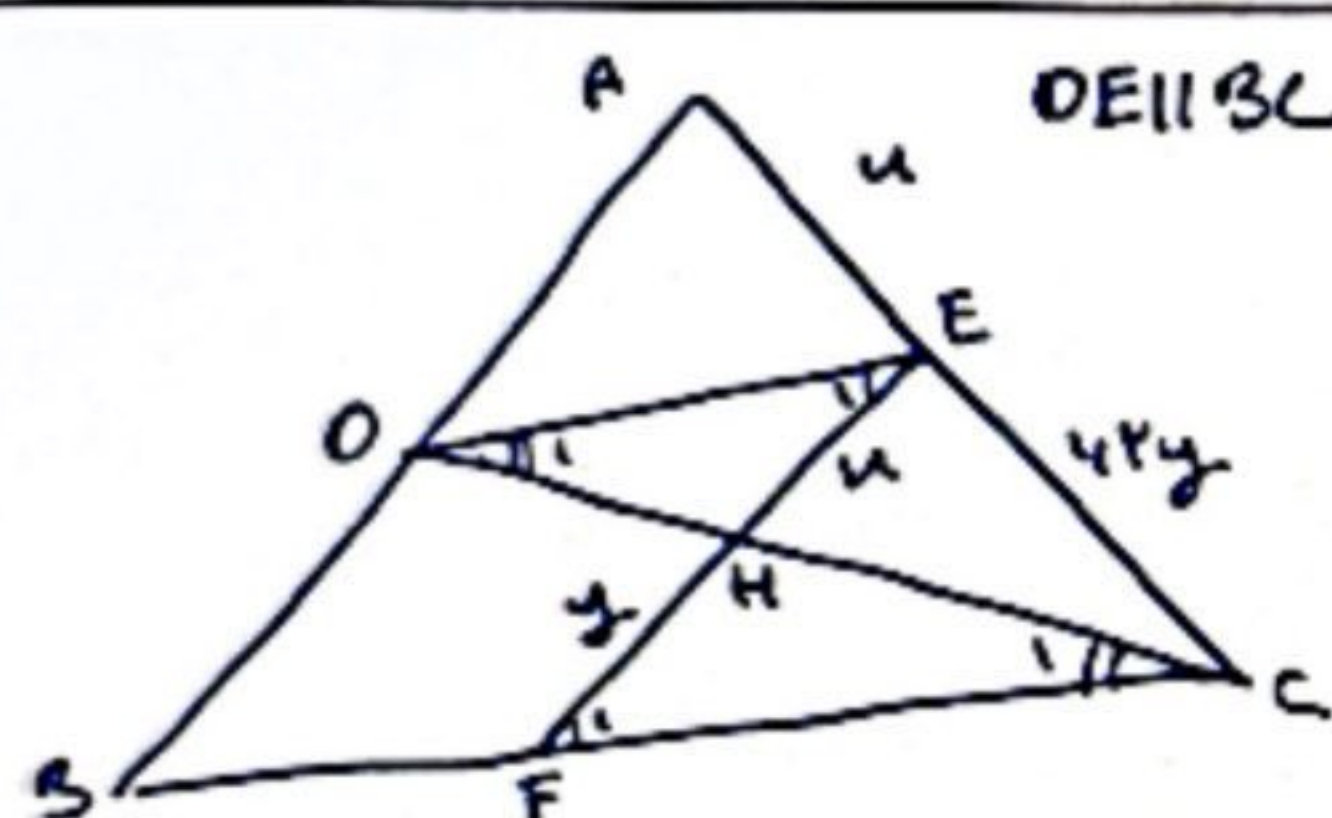
$\frac{OE}{OA} = \frac{y}{u} = \frac{\frac{\sqrt{10}}{4}u}{u} \times \frac{4}{\sqrt{10}} = \frac{1}{\sqrt{10}} = \frac{\sqrt{10}}{10}$ پیدا کردیم



$\triangle AEO \sim \triangle ACF$ $\xrightarrow{\text{شعاع دو زاویه متقابل به رأس (زوجی)}} \hat{A} = \hat{A}$

$\triangle AEO \sim \triangle ACF \Rightarrow \frac{AE}{AC} = \frac{EO}{CF} = \frac{AO}{AF} \Rightarrow \frac{u}{3} = \frac{v}{2} \Rightarrow u = \frac{3}{2}v$

$u^2 + v^2 = 5 \Rightarrow u^2 + u - 3 = 0 \Rightarrow (u+3)(u-1) = 0 \Rightarrow u = -3$ پیدا کردیم



$DE \parallel BC, u = 3u, BF = 3, BC = 5$

$\Rightarrow 0.4y = u$

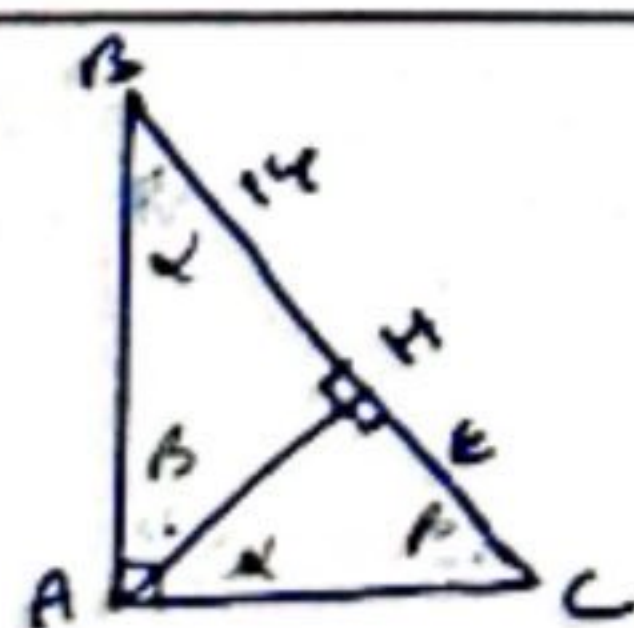
$DE \parallel BC \Rightarrow \hat{E}_1 = \hat{F}_1, \hat{C}_1 = \hat{D}_1 \xrightarrow{\text{(زوجی)}} \triangle HDE \sim \triangle HFC \Rightarrow \frac{DE}{FC} = \frac{HD}{HC} = \frac{EH}{HF} \Rightarrow OE = 0.4FC$

$DE \parallel BC \Rightarrow \triangle ADE \sim \triangle ABC \Rightarrow \frac{OE}{BC} = \frac{AE}{AC} = \frac{AD}{AB} \Rightarrow BC = 3OE$

$\frac{1}{3} = \frac{0.4y}{1.8y} \Rightarrow \frac{u}{u+1.4y}$

$BC = 3OE \Rightarrow BC = 3OE \Rightarrow FC + BF = 3(0.4FC) \Rightarrow FC + 3 = 1.2FC \Rightarrow 1.2FC - FC = 3 \Rightarrow FC = \frac{3}{0.2} \Rightarrow FC = 15$

$I + II = 3.15 + 3 = 6.15 \Rightarrow$ جواب $\Rightarrow BC = BF + FC$

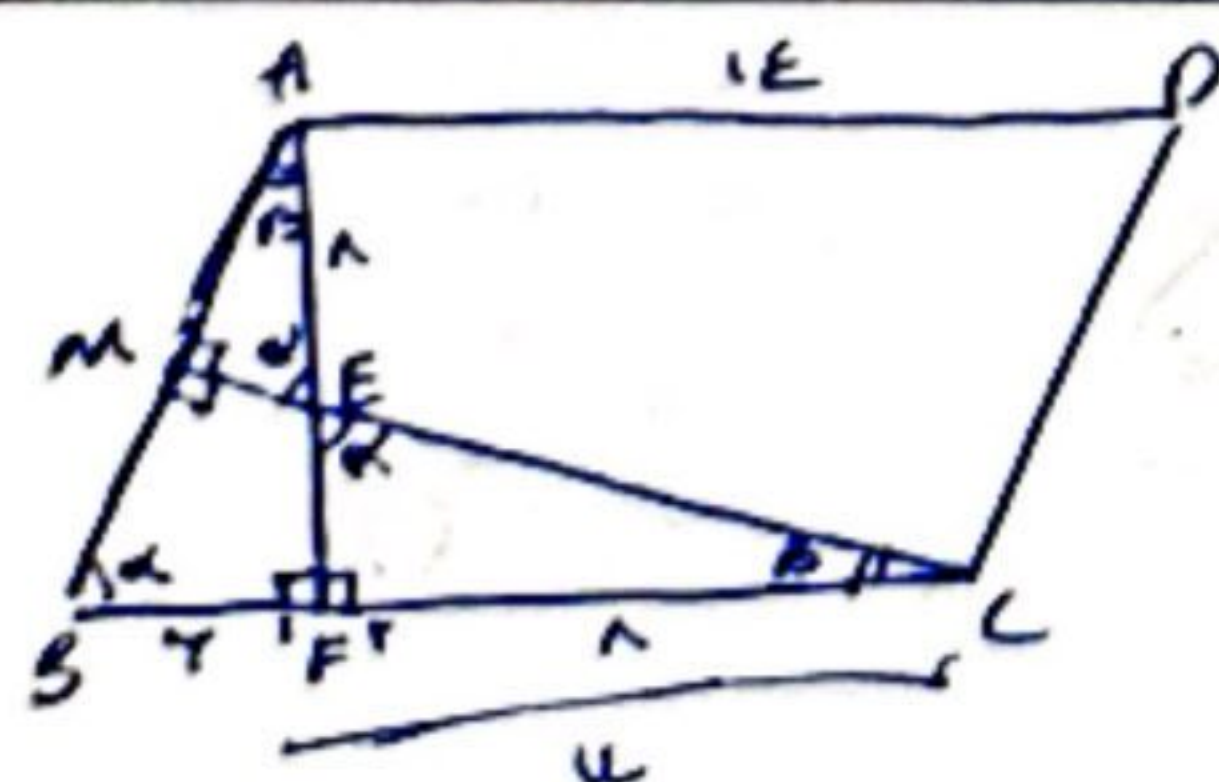


$BH = 17 - 5 = 12$

$HC = 5 \rightarrow$ پیدا کردیم

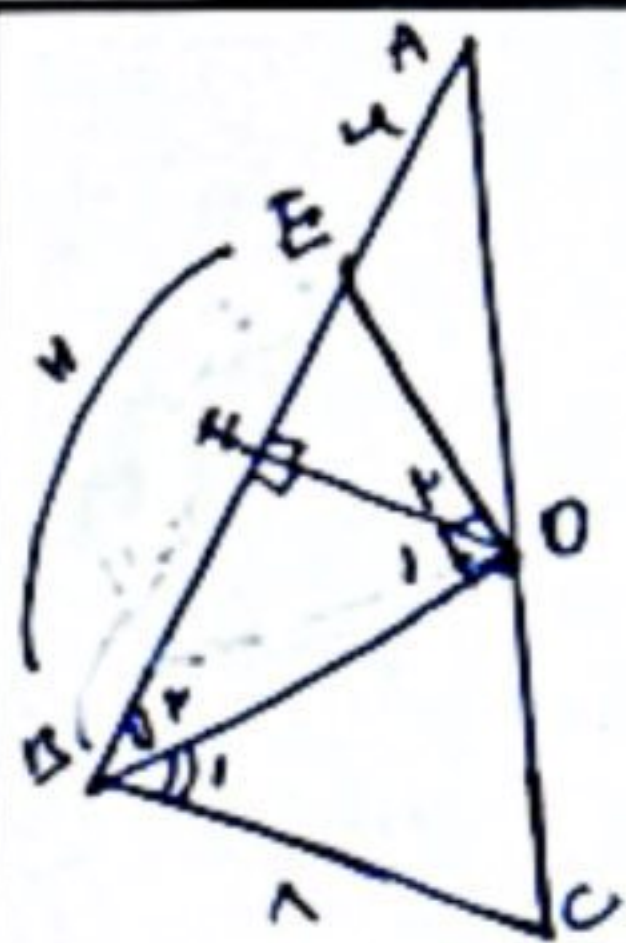
$AH^2 = HC \times BH \Rightarrow AH^2 = 5 \times 12 \Rightarrow AH = 6$

$\triangle AHB \sim \triangle AHC \Rightarrow \frac{AB}{AC} = \frac{BH}{AH} \Rightarrow \frac{14}{12} = \frac{12}{6} = 2 \rightarrow$ جواب

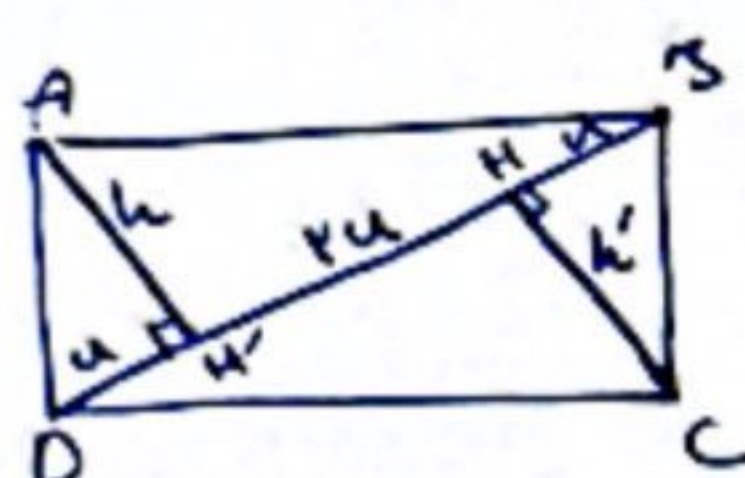


$\triangle AEF \sim \triangle CEF \Rightarrow \frac{BF}{EF} = \frac{AB}{EC} = \frac{AF}{CF} \Rightarrow \frac{4}{u} = \frac{u+6}{v} \Rightarrow u^2 + 6u - 2v = 0 \Rightarrow (u-2)(u+12) = 0 \Rightarrow u = -12$

$\Rightarrow AF = u + 6 \Rightarrow 2 + 6 = 8$ پیدا کردیم



$\hat{B}_1 = \hat{B}_v$
 $HO \parallel BC \Rightarrow \hat{B}_1 = \hat{B}_v \Rightarrow \hat{B}_v = \hat{O}_1 \Rightarrow HO = BH \quad \textcircled{*}$
 $\hat{A} = 90^\circ \rightarrow \frac{110 - 90}{2} = 20^\circ \rightarrow \hat{D}_1 = 20^\circ$
 $\hat{B}_v = \hat{B}_1 = 20^\circ$
 $60^\circ \text{ عند } E \Rightarrow EH \times BH = DH \quad \textcircled{*}$
 $EH \times BH = BH^2 \Rightarrow EH = BH = \frac{11}{2} = HO$
 $HO \parallel BC \Rightarrow \frac{AH}{AB} = \frac{HO}{BC} \Rightarrow \frac{u + \frac{11}{2}}{u + 11} = \frac{\frac{11}{2}}{11}$
 $\Rightarrow \frac{u + \frac{11}{2}}{u + 11} = \frac{11}{14} \Rightarrow 14u + 14 = 14u + 11 \Rightarrow u = \frac{11}{4}$



$$\left. \begin{aligned} A \hat{O} B \Rightarrow h &\Rightarrow h^r = OH' \times H'B \Rightarrow h^r = u \times u \Rightarrow h^r = u^2 \Rightarrow h = \sqrt{u} \cdot u \\ B \hat{O} D \Rightarrow h' &\Rightarrow h'^r = BH' \times HD \Rightarrow h'^r = u \times u \Rightarrow h'^r = u^2 \Rightarrow h' = \sqrt{u} \cdot u \end{aligned} \right\} \Rightarrow h = h'$$

$$\text{Johannes } S = S_{ABD} + S_{BDC} \Rightarrow 1 \times S_{ABD} = 1 \times \frac{\sqrt{4} \times 2 \times 2}{2} = 2\sqrt{4} \text{ m}^2$$

تہ چونکہ ارتفاع مثلث ABC و ABD باہمی

بدر و قاعدی آن مامستدک

$$S_{ABD} = S_{BDC} \quad \star \quad : G_{21}$$

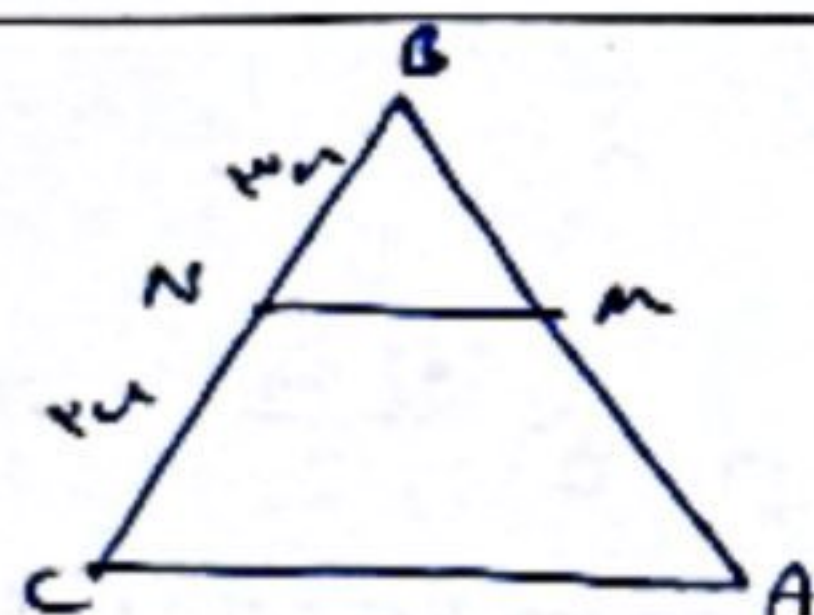
Given $\rightarrow S_{ABD} = S_{ABC} \Rightarrow \frac{h \times h}{2} = \frac{\sqrt{2} \times r}{2}$

لے زیرو $h' = h$ و

قائمہ دہر دو

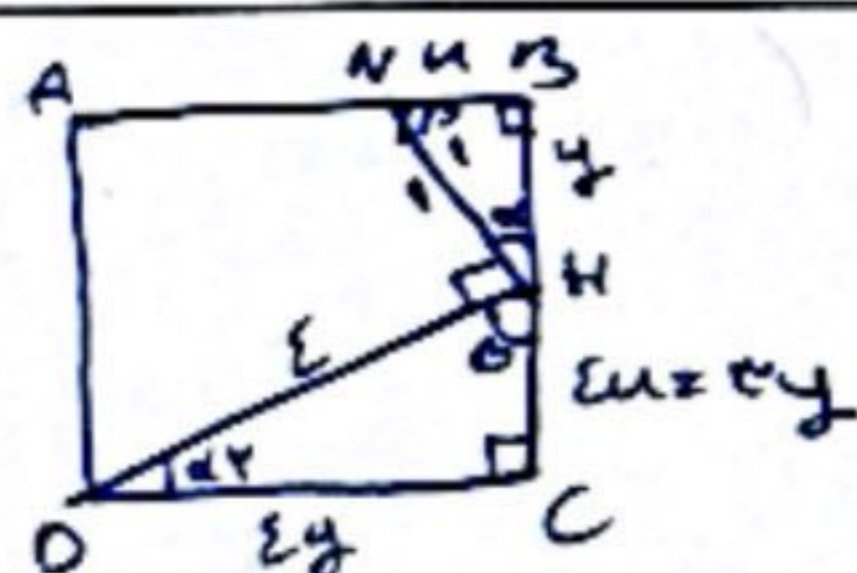
$\alpha = \text{HB} = \text{OH}$

$$\frac{\text{green}}{\text{red}} = \frac{2\cancel{\sqrt{5}} \times \frac{4}{\cancel{\sqrt{5}}}}{1} = 8 \rightarrow \text{جواب}$$



$$\frac{S_{ABC}^{\Delta}}{S_{BMN}^{\Delta}} = \mu \Rightarrow \frac{BC \times AB \times \sin B}{BN \times MB \times \sin B} = \mu \Rightarrow \frac{\omega \times AB}{\mu \times MB} = \mu \Rightarrow \frac{AB}{MB} = \frac{\mu}{\omega}$$

$$\Rightarrow \frac{BM}{AB} = \frac{\omega}{\mu} \xrightarrow[\text{Cross}]{\text{Divide}} \frac{BM}{AM} = \frac{\omega}{\epsilon}$$



$$\alpha + \beta + 90 = 180 \Rightarrow \alpha + \beta = 90$$

- مثبت : $90 + \alpha + \hat{N}_1 = 180 \Rightarrow N_1 = 90 - \alpha = \beta$

$$\beta + \hat{\beta}_0 = 1 \Rightarrow \hat{\beta}_0 = 1 - \beta = \alpha$$

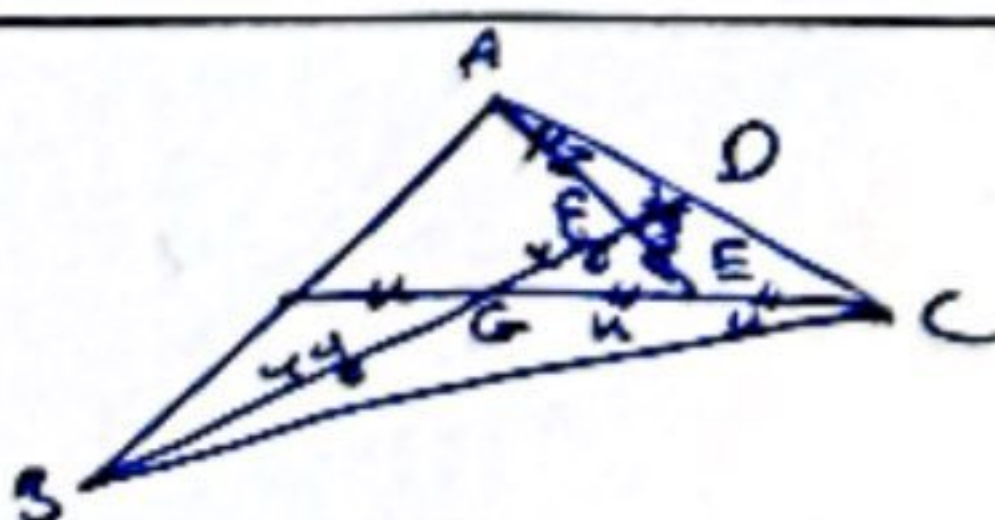
$$\Rightarrow \hat{B} = \hat{C}, \hat{H}_1 = \hat{D}_1 = \alpha, \hat{A}_1 = \hat{N}_1 = \beta \Rightarrow \frac{\Delta_{HB}}{CH} \sim \frac{\Delta_{HC}}{CO} \Rightarrow \frac{B_1}{CH} = \frac{B_1}{CO} = \frac{1}{2}$$

$$\text{استنتاج: } ABCD \Rightarrow BC = CD \Rightarrow \varepsilon y = y + \varepsilon u \Rightarrow \varepsilon u = ny$$

• ACH صلب : $(OH)^2 = (CH)^2 + (CD)^2 \Rightarrow (OH)^2 = (xy)^2 + (yz)^2$

$$\Rightarrow OH = \omega y = 2 \Rightarrow y = \frac{r}{\omega} \Rightarrow CO = 2 \times \frac{r}{\omega} = \frac{14}{\omega}$$

$$S_{\text{در}} = \left(\frac{14}{25}\right)^2 = 10/24$$



جی - جی کو نقل، $GE = EC$ ، $\frac{BD}{FD} = 9$

G - مرکز نقل $\Rightarrow G$ - محل برخورد سیاراتها است

تساوي AC و BD ، AB و CM =

در منزلت میان ما و شما که در منزلت ۲ به یک

قطع می کنند $R_G = R_{GO} = R_X \sin \gamma = 4y$

$\angle G = \angle F = \angle D$ $\leftarrow$ $\angle G$ $\angle C$ (since $AE \parallel AC$ (since $OG \parallel AG$ (since

$$\frac{BD}{FO} = \frac{94}{4} = 23.5$$