

بالنسبة لـ  $c$  حيث  $0 < c < 1$

$$y = 1 - \log_a x - b \rightarrow r = 1 - \log_a c \rightarrow \log_a c = -1$$

$$\rightarrow -b = \frac{1}{c} \rightarrow b = -\frac{1}{c} \quad \frac{c^r - 1}{c} = -\frac{r}{c}$$

$$r c^r - r = -r c \rightarrow$$

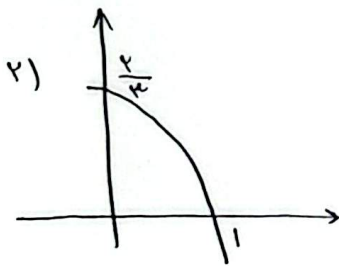
$$r c^r + r c - r = 0$$

$$\rightarrow c^r + \frac{r}{c} c - 1 = 0$$

$$(c+r)(c - \frac{1}{r}) = 0 \rightarrow c = \frac{1}{r} \quad b = -r$$

$$1 - \log_a \frac{-1}{r} = 0 \rightarrow -\frac{r}{a} + r = \frac{1}{r} \rightarrow a = 1$$

$$b(a+c) \rightarrow -r(\frac{1}{r} + 1) \rightarrow -r \times \frac{r}{r} = \boxed{-r}$$



$$f(x) = 1 + c x^r^{a+bx} \rightsquigarrow -\frac{1}{r} = c x^r^a \rightsquigarrow -r^{-1} = c x^r^a$$

$$f(-1) \rightarrow \rightsquigarrow -1 = c x^r^{a+b}$$

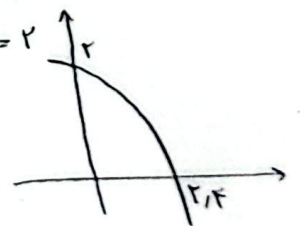
$$\frac{-1}{r^{-1}} = \frac{c x^r^{a+b}}{c x^r^a} \rightarrow r^b = r \rightarrow b = 1$$

$$f(-1) = \frac{c x^r^a}{\frac{1}{r}} \times \frac{1}{r} + 1 \rightarrow -\frac{1}{a} + 1 = \frac{r}{a}$$

3)  $c + \log_a r(a+b) = 0$  (I)

$c + \log_a b = r$  (II)

II - I =  $\log_a \frac{b}{r(a+b)} = r$



$$b = r \cdot a + r a b \rightarrow \frac{a}{b} = \frac{1}{r}$$

4)  $f(x) = \log_f (|x^r - r| - x)$

$\rightarrow |x^r - r| > -x \rightarrow |x^r - r| > x$

$D_f = (-\infty, 1) \cup (r, +\infty)$

$\left[ \begin{array}{l} x^r - x - r > 0 \\ (x-r)(x+1) > 0 \\ x^r + x - r < 0 \\ (x+r)(x-k) \end{array} \right.$

$\left[ \begin{array}{l} x^r - r > x \\ x^r < -x \end{array} \right.$

$$\omega) f(x) = r + r^{b-ax} \rightarrow r + r^{b+ax} = 1 \rightarrow b+a = r$$

$$g(x) = -x^r - r^{bx} + A \rightarrow r + r^{b-ax} = -x^r - r^{bx} + A$$

$$\rightarrow r^{b-ax} = -x^r - r^{bx} + A \xrightarrow{x=1} r^{b-a} = -1 - r + A$$

$$\boxed{b-a=1}$$

$$\begin{cases} a+b=r \\ b-a=1 \end{cases} \rightarrow \begin{cases} b=r \\ a=1 \end{cases}$$

$$r^{b-a} = r^{-1} = \frac{r}{r}$$

$$9. f(x) = -r + \left(\frac{1}{r}\right)^{Ax+B} \xrightarrow{x=1} r = r^{-(A+B)} \rightarrow 1 = -(A+B) \rightarrow -1 = A+B$$

$$y = x^r - x$$

$$\xrightarrow{x=r} r - r = -r + \left(\frac{1}{r}\right)^{rA+B} \rightarrow r^r \cdot r = r^{-rA+B}$$

$$\begin{cases} A+B=1 \\ r = -rA+B \end{cases} \rightarrow r = rA \rightarrow A = -1 \\ B = .$$

$$f(x) = -r + \left(\frac{1}{r}\right)^{-x} \rightarrow f(r) = -r + r^r = 4$$

$$v. f(x) = m \left(\frac{r}{a}\right)^x \rightarrow m \left(\frac{r}{a}\right)^x = \frac{m}{4} \rightarrow \left(\frac{r}{a}\right)^x = \frac{1}{4} \rightarrow r^x = 4 \cdot a^x$$

$$r^{x-1} = r^{x+1} \rightarrow \log_{\Delta} r^{x-1} = \log_{\Delta} r^{x+1} \rightarrow (x-1) \log_{\Delta} r = (x+1) \log_{\Delta} r$$

$$(x-1) \frac{1}{r} = (x+1) \frac{1}{r} \rightarrow rx - r = rx + r$$

$$4x = 2r \rightarrow x = \frac{r}{2} = \frac{19}{2}$$

$$n. f(x) = m \left(\frac{v}{\lambda}\right)^x = \frac{m}{v} \rightarrow \left(\frac{v}{\lambda}\right)^x = \frac{1}{v} \rightarrow \frac{v^x}{\lambda^x} = v^{-1} \rightarrow v^{x+1} = \lambda^x$$

$$\log_{\mu} v^{x+1} = \log_{\mu} \lambda^x \rightarrow (x+1) \log_{\mu} v = x \log_{\mu} \lambda \rightarrow (x+1) \frac{1}{4} = x \left(\frac{1}{14}\right)$$

$$\frac{1 \cdot x + 1}{4} = \frac{x}{14} \rightarrow 14 \cdot x + 14 = 4x \rightarrow 10 \cdot x = -14 \rightarrow x = -1.4$$

$$x = -1.4 \rightarrow x = -1.4 \text{ and } \lambda, v = \Delta Y \text{ ; ;}$$

$$a) f(x) = M \left( \frac{a^x}{1-x} \right)^x = \frac{M}{\epsilon} \rightarrow \log \left( \frac{a^x}{1-x} \right)^x = \log \frac{1}{1-x} \rightarrow -\log \frac{1}{1-x}$$

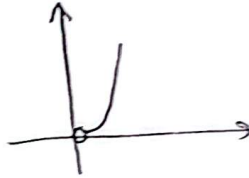
$$\therefore \epsilon \ln = -\log \frac{1}{1-x} \rightarrow x(\log a - \epsilon)$$

$$x(\log a^x \times x^{\Delta} - \epsilon) = x(\log a^x + \Delta \log x - \epsilon) = x(-\epsilon \ln + \Delta \log x - \epsilon) = -\epsilon \cdot x$$

$$x = \frac{-\epsilon \ln}{-\epsilon - \Delta} = \frac{\epsilon \ln}{\epsilon} = \ln \epsilon$$

$$1.) y = a \cdot \log x^x = x \log a^x \rightarrow x^c$$

$\hookrightarrow x > 0$



$$y = \log x^x = x \log x$$

$$D_f = \mathbb{R} - \{0\}$$

