

$\Rightarrow \sin \alpha > 0$
 $\cot \alpha = \frac{\cos \alpha}{\sin \alpha}$, $\frac{1}{\sqrt{\cos^2 \alpha}} - \frac{1}{\sin \alpha} = \frac{1 - \sin \alpha}{|\cos \alpha|}$
 \Rightarrow ربع اول

$\cot \alpha = \frac{\cos \alpha}{|\sin \alpha|}$, $\frac{1}{|\cos \alpha|} - \frac{\sin \alpha}{\cos \alpha} = \frac{1 - \sin \alpha}{\cos \alpha} \Rightarrow \cos \alpha > 0$

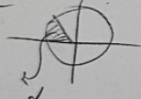
$\sin m = \frac{m-1}{\varepsilon}$, $-\frac{\pi}{4} < m < \frac{\pi}{4} \Rightarrow -\frac{1}{\sqrt{2}} < \frac{m-1}{\varepsilon} < \frac{1}{\sqrt{2}}$

$-\frac{\pi}{11} < m < \frac{\pi}{11}$, $-\sqrt{2} < m-1 < \sqrt{2} \Rightarrow -1 < m < 1$

$\tan m + \cot m = -\sqrt{2}$

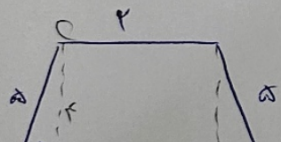
$\frac{\pi}{2} < m < \frac{3\pi}{2}$

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سینوس و کسینوس

$\frac{1}{\sin m + \cos m} = \frac{1}{(\sin m + \cos m) \left(\frac{\sin m + \cos m}{\sqrt{2}} - \frac{\sin m - \cos m}{\sqrt{2}} \right)}$
 $\frac{\sin m}{\cos m} + \frac{\cos m}{\sin m} = \frac{1}{\sin m \cos m} = -\sqrt{2}$
 $(\sin m + \cos m)^2 = 1 + 2 \left(-\frac{1}{\sqrt{2}} \right) = \frac{1}{\sqrt{2}} \Rightarrow \sin m + \cos m = -\frac{1}{\sqrt{2}}$



$S = \frac{(1+r)r}{2} = \frac{r}{2}$

$r+r+r=1 \Rightarrow r = \frac{1}{3}$
 $\cos \theta = \frac{1}{2} = \frac{AB}{a} = \frac{1}{2} \Rightarrow AB = \frac{1}{2}$

$\sin \theta = \frac{1}{2} = \frac{BC}{a} \Rightarrow BC = \frac{1}{2}$

$\tan(170^\circ) \tan(-170^\circ) - \sin(170^\circ) \cos(170^\circ) = K \cos 1^\circ$

$\tan(170^\circ + 1^\circ) \cdot (-\tan(170^\circ - 1^\circ)) - \sin(170^\circ + 1^\circ) \cos(170^\circ - 1^\circ)$

$(-\cot 1^\circ) (\tan 1^\circ) + \sin 1^\circ \sin 1^\circ = \sin^2 1^\circ - 1 = -\cos^2 1^\circ \Rightarrow K = -1$

$$A = \frac{\sqrt{r} \cos(\pi/2) \sin(\pi/2) - \sqrt{r} \sin(\pi/2) \cos(\pi/2)}{\cos(\pi/2)} = \frac{\sqrt{r} \times (\cancel{\frac{1}{r}}) (\cancel{r} \cos \pi) + \sqrt{r} \times (\cancel{\frac{1}{r}}) (\cancel{r} \cos \pi)}{\cos \pi} \quad -4$$

$$\frac{\frac{a}{r} \cos \pi}{\cos \pi} = \frac{a}{r}$$

$$f(m) = 14 \cos^2(\pi/4) \cos^2(\pi/4) \cos^2(\pi/4) \cos^2(\pi/4) \\ 14 \cos^2(\frac{\pi}{4}) \cos^2(\frac{\pi}{4}) \cos^2(\frac{\pi}{4}) \cos^2(\frac{\pi}{4}) \\ 14 \left(\frac{1+\sqrt{r}}{2}\right) \left(\frac{\sqrt{r}}{2}\right) \left(\frac{1}{2}\right) \left(\frac{1}{2}\right) \\ \cancel{14} \left(\frac{1+\sqrt{r}}{2}\right) \frac{r}{2} \frac{1}{2} \frac{1}{2} = \frac{r(1+\sqrt{r})}{14}$$

$$\cos^2 \alpha = \frac{1 + \cos 2\alpha}{2} \\ \cos^2 \frac{\pi}{4} = \frac{1 + \cos(\frac{\pi}{2})}{2} = \frac{1 + \frac{1}{r}}{2} = \frac{1+r}{2}$$

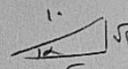
$$\frac{1 - \sin \alpha}{1 + \sin \alpha} = r \Rightarrow 1 - \sin \alpha = r + r \sin \alpha \\ -2 \sin \alpha = r \\ \sin \alpha = -\frac{r}{2} \rightarrow \cos \alpha = -\frac{r}{2} \\ \sin^2 + \cos^2 = 1$$

$$\tan \alpha = \frac{\sin \alpha}{\cos \alpha} = \frac{-\frac{r}{2}}{-\frac{r}{2}} = 1 \Rightarrow r - r \tan^2 \frac{\alpha}{r} = 1 \tan^2 \frac{\alpha}{r} \Rightarrow r \tan^2 \frac{\alpha}{r} + 1 \tan^2 \frac{\alpha}{r} - r = 0$$

$$\tan \frac{\alpha}{r} = -r$$

$$r^2 + 1t - r = 0 \\ t^2 + 1t - r = 0 \\ (t+1)(t-1) = 0 \\ t = -1 \text{ or } t = 1 \\ -r = \frac{-1}{r} \Rightarrow r = 1$$

$$\frac{\sin \theta}{1 - \cos \theta} + \frac{1 + \cos \theta}{\sin \theta} = k \cot \frac{\theta}{r} \\ \frac{r \sin \theta}{r(1 - \cos \theta)} = \frac{r \sin \theta + \sin \theta}{\sin \theta - \sin \theta \cos \theta} = \frac{r \sin \theta (1 + \cos \theta)}{1 - \cos \theta (1 + \cos \theta)} \\ \frac{r \cos \theta}{r(1 - \cos \theta)} = \frac{r \cos \theta \cos \theta}{r \sin \theta \cos \theta} = r \cot \frac{\theta}{r} = k \cot \frac{\theta}{r} \Rightarrow k = r$$



$$\sin \alpha = \frac{\sqrt{r}}{1} \rightarrow \cos \alpha = \frac{-\sqrt{r}}{1}$$

$$\frac{1}{10} - \frac{1}{11} = \frac{1}{110}$$

$$\cos\left(\frac{11\pi}{2} + \alpha\right) = \cos\left(\frac{11\pi}{2} + \alpha\right) = \cos \frac{11\pi}{2} \cos \alpha - \sin \frac{11\pi}{2} \sin \alpha = \frac{1}{\sqrt{2}} \times \left(\frac{-\sqrt{r}}{1}\right) - \left(\frac{1}{\sqrt{2}}\right) \left(\frac{\sqrt{r}}{1}\right)$$