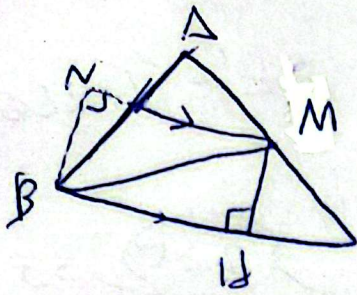


۲۰

سید سید میر علی الباقی باز در ص ۵

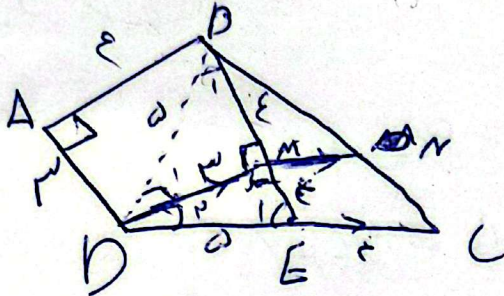


$$S_{BCM} \leq \frac{1}{2} AB \cdot CM \leq BM$$

$$S_{BNM} = \frac{1}{2} MN \cdot BN \leq BN$$

بنابراین $E \in MN$ لذا است $\frac{S_{BCM}}{S_{BNM}} = \frac{BC}{MN}$ (۱) (۲) (۱۵) ✓

$$MN \parallel BC \Rightarrow \frac{BC}{MN} = \frac{1}{\alpha}$$

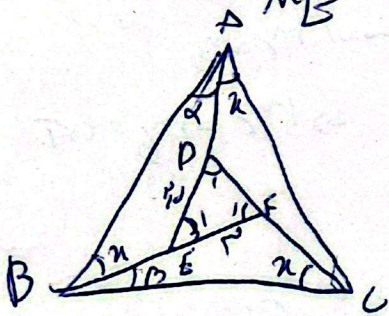


(۱) (۲) $BD \leq \omega \Rightarrow$ رابطه بین خطوط

$P_1 \leq P_2 \Rightarrow B_1 \leq E_1 \Rightarrow B \hat{P} E$ یعنی $\angle$ باقی

$BD = PE = \omega \Rightarrow EC \leq \epsilon$

$\frac{BM}{ME} \leq 1 \Rightarrow \frac{BM}{BE} \leq \frac{MN}{EE} = MN \leq N$ ✓



$f_1 \leq B_1 + C_1 \leq n + \beta \Rightarrow f_1 \leq \beta$
 $B \leq B_1 + B_2 = n + \beta$

$E_1 \leq B_2 + A_1 = n + \alpha$

$A_1 \leq A_1 + A_2 \leq n + \alpha \Rightarrow E_1 \leq A$

$\Rightarrow DEF \sim CAP$

$\frac{EF}{AB} = \frac{DF}{CB} \Rightarrow \dots AB \leq 9, 4$ ✓

$B \hat{M} C \sim A \hat{M} F \Rightarrow AF \leq \frac{r}{p}$

$B \hat{M} E \sim C \hat{D} M \Rightarrow ME \leq \frac{1}{p} CE$

$FM \leq \frac{r \sqrt{a}}{p} \leq \frac{r}{e} \sqrt{a}$

$MC \leq r \sqrt{a} \text{ و } ME \leq r \sqrt{a}$

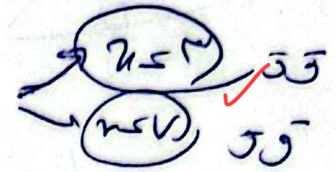
$CE \leq r \sqrt{a}$

$\frac{r \sqrt{a} + r \sqrt{a}}{p} \leq \frac{1}{e} \sqrt{a} \leq \frac{r}{e} \sqrt{a}$ ✓

$$\triangle AED \sim \triangle EAC \Rightarrow \frac{AE}{CE} = \frac{ED}{EA} = AE' = CE \text{ و } ED$$

$$AE' = 12 + 12 \Rightarrow AE = \sqrt{144 + 144}$$

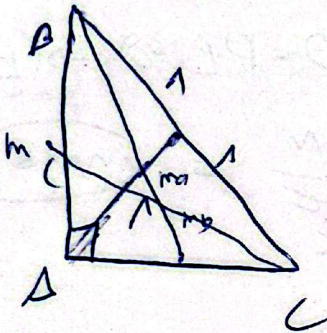
$$n' = 12 \text{ و } (n-1) \cdot (1) \Rightarrow n' = 1 \cdot 12 \cdot 12$$



$$EF' \perp DF \text{ و } FC \Rightarrow 14 = 1 + F(5) \text{ و } FC \leq 14$$

$$BC' \leq CF \text{ و } AC \Rightarrow BC' \leq 14 \text{ و } AC \Rightarrow BC \leq 14 \checkmark$$

اندر این حالت، هر دو مثلث قائم الزامی هستند و این را می توانیم



$$m_a' \leq m_b' \text{ و } m_b' \leq m_c'$$

$$m_a' \leq m_b' \text{ و } m_b' \leq m_c' \Rightarrow m_c' \leq m_b' = m_a' \checkmark$$

$$BO' \leq (1 - m') \leq 1' + n' \Rightarrow DO \leq 1 \text{ و } OC \leq 1 \checkmark$$

$$\left. \begin{array}{l} \hat{O}_1 \leq \hat{O}_2 \\ OA \leq OA \\ BO \leq CO \end{array} \right\} \Rightarrow \triangle OAB \cong \triangle OAC \Rightarrow \angle AOB \leq \angle AOC$$

$$BC' \leq 1 \Rightarrow BE' \leq 1 \Rightarrow CE \leq BE \leq 1$$

$$\angle BOC = \frac{OE \times BC}{r} \pm \frac{OD \times OC}{r} \Rightarrow OE \times BC \leq OD \times OC \Rightarrow OE \leq OD$$

$$CE' \leq OE \text{ و } EA \Rightarrow \angle A \leq \angle C \text{ و } EA \leq EC$$

$$\frac{EA}{r} \leq \frac{BE}{r} \Rightarrow \angle A \leq \angle C \checkmark$$

$$AB^2 \leq AC \cdot AC \leq 9 \Rightarrow AB \leq \sqrt{9}$$

$$BC^2 \leq BD \cdot AB \Rightarrow 1 \leq BD \cdot \sqrt{1} \Rightarrow BD \leq \frac{1}{\sqrt{1}}$$

$$BD^2 \leq BE \cdot BC \Rightarrow \frac{1 \cdot 1}{1} \leq BE \cdot 9 \Rightarrow (BE \leq 1) \checkmark$$

$$AC^2 \leq AB^2 + BC^2 \Rightarrow 1 \leq 1 + 1 \Rightarrow AC \leq \sqrt{2}$$

$$DC^2 \leq CH \cdot AC \Rightarrow CH \leq \frac{1}{\sqrt{2}}$$

$$AC \leq AH + CH \Rightarrow AH \leq \frac{1}{\sqrt{2}}$$

$$\left. \begin{array}{l} AH \leq AE + EH \\ AE \leq EH \end{array} \right\} \Rightarrow AH \leq AE$$

$$DE \parallel BC \Rightarrow \frac{DE}{BC} = \frac{AE}{AC} \Rightarrow \frac{1}{2} = \frac{AE}{\sqrt{2}} \Rightarrow (AE = \frac{\sqrt{2}}{2}) \checkmark$$