

BCF, AFE $\sim$ (A.S.)
 $\swarrow$
 $\frac{BC}{AE} = \frac{CF}{AF} = \frac{BF}{FE} = r$

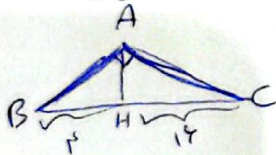
$$\left. \begin{array}{l} \hat{A} \rightarrow \hat{A} \\ E_1 \rightarrow C \end{array} \right\} \Rightarrow AED \cong ABC \quad \frac{10}{u} \rightarrow \frac{u+1}{r} \Rightarrow \boxed{u=0}$$

1. $\text{In } \Delta ABC, DE \parallel BC \rightarrow \frac{AD}{DB} = \frac{AE}{EC} = \frac{DE}{BC} \quad (1)$

$$\left. \begin{array}{l} \hat{D}_D = \hat{C} \\ \hat{E}_E = \hat{F} \\ \hat{H}_I = \hat{H}_T \end{array} \right\} \rightarrow DEH \sim FHC \rightarrow \frac{DE}{FC} = \frac{EH}{FH} \xrightarrow{y = \frac{D}{F^2}} CF, \frac{D}{F^2} DE \quad (r)$$

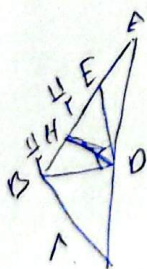
$$\textcircled{1} + BC \rightarrow BF + FC \rightarrow \gamma + DE \rightarrow \gamma + \frac{\partial}{\partial \gamma} DE \rightarrow \gamma DE - \frac{\partial}{\partial \gamma} DE = \gamma \Rightarrow DE \propto \frac{1}{\gamma}$$

$$\rightarrow \frac{DE}{BC} \sim \gamma \Rightarrow BC = \gamma \times \frac{9}{5} = \left(\frac{15}{5} \right)$$

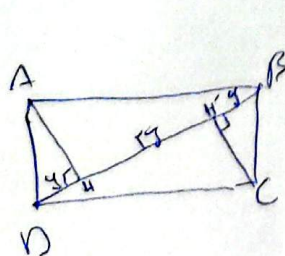


$$\begin{aligned} \text{Jika: } AB^2 &= BH \times BC \Rightarrow AB^2 = 5 \times 10 \Rightarrow AB = 5\sqrt{2} \\ AC^2 &= CH \times BC \Rightarrow AC^2 = 15 \times 10 \Rightarrow AC = 5\sqrt{3} \end{aligned} \quad \boxed{\frac{AB}{AC} = \frac{1}{\sqrt{3}}}$$

$$\triangle ECF \cong \triangle AEG \Rightarrow \triangle ABF \quad \frac{AF}{FC} = \frac{BF}{EF} \rightarrow \frac{n+1}{1} = \frac{4}{n} \rightarrow \boxed{n=3} \quad \boxed{AF=1}$$



$$DH^R = \frac{11}{r} \times \frac{11}{r} \Rightarrow \frac{DH = \frac{11}{r}}{11 + AE} = \frac{11}{r} \Rightarrow u = \frac{5r}{5}$$

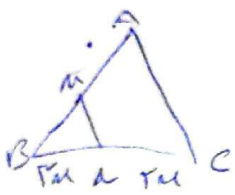


$$\begin{aligned} & \text{2 ABD, } \rightarrow \text{A} \\ & \downarrow \\ & (AH)^T = Y^T Y = Y^T Y^T \rightarrow \underline{AH = Y^T Y} \end{aligned}$$

$$\therefore \text{ADH} = \frac{h_g}{r} \rightarrow \frac{\sqrt{h_g r}}{r}$$

Solus ABCD = $S_{ABD} + S_{BCD} = S_{DNBN} \rightarrow \frac{1}{2} \sqrt{2} \times \sqrt{2} = \sqrt{2}$

$$\therefore \frac{\sqrt{xy}}{\frac{\sqrt{y}}{x}} = (\wedge)$$



$$S_{DMN} = \frac{AM \times \cancel{AM} + S_{\triangle MB}}{r}$$

$$S_{ABC} = \frac{(AB) \times S_{\triangle MB}}{r}$$

$$\rightarrow \frac{S_{ABC}}{S_{DMN}}$$

$$S_{\triangle MB} \times \cancel{AM} \times \cancel{AM}$$

$$\frac{BM}{AM} = \frac{r}{r}$$

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(1)